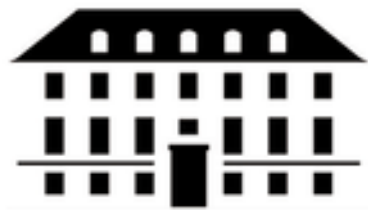


# 周惑星円盤の形成に関する 輻射流体力学シミュレーション

Yuri I. Fujii (Nagoya University/NBI)

Oliver Gressel (NBI), Udo Ziegler (AIP)



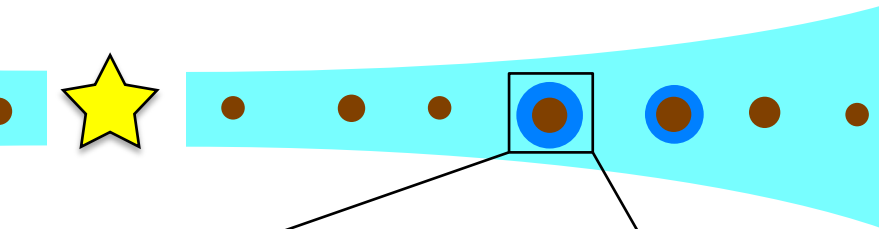
The Niels Bohr  
International Academy



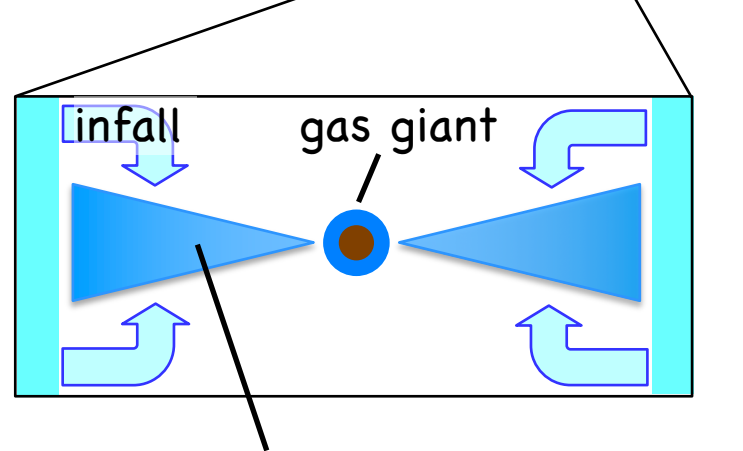
NAGOYA UNIVERSITY



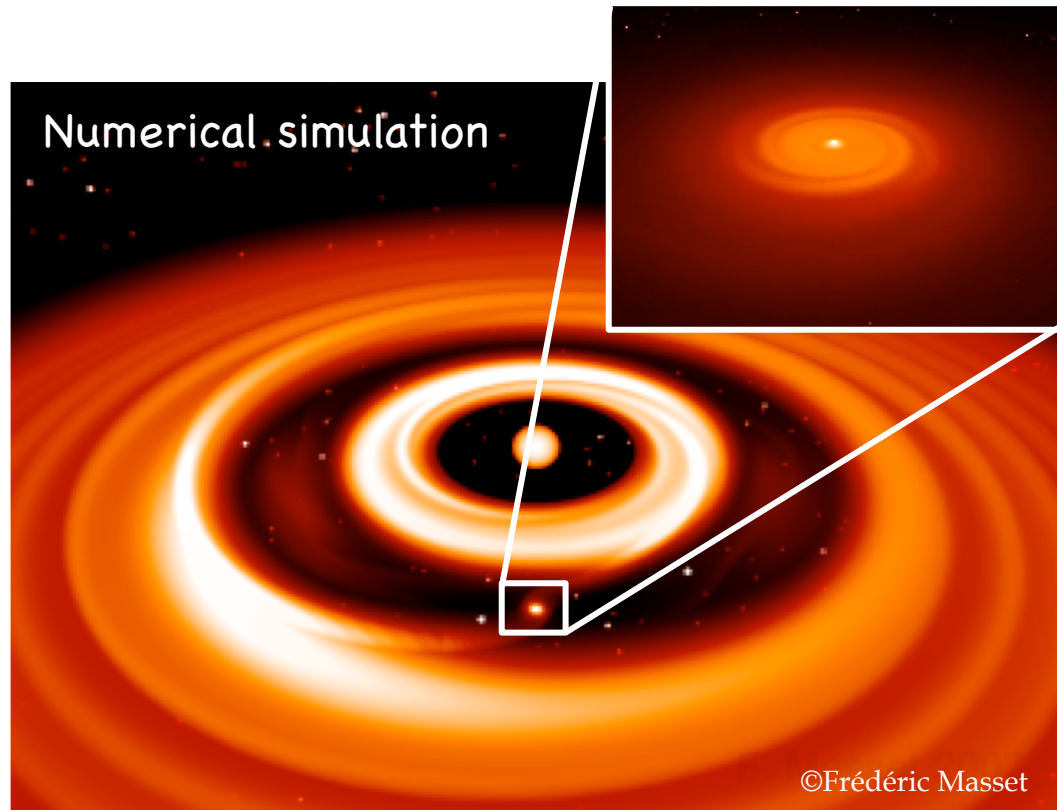
# Formation of Circumplanetary Disk



Gas accretion onto protoplanet



circumplanetary disk (CPD)



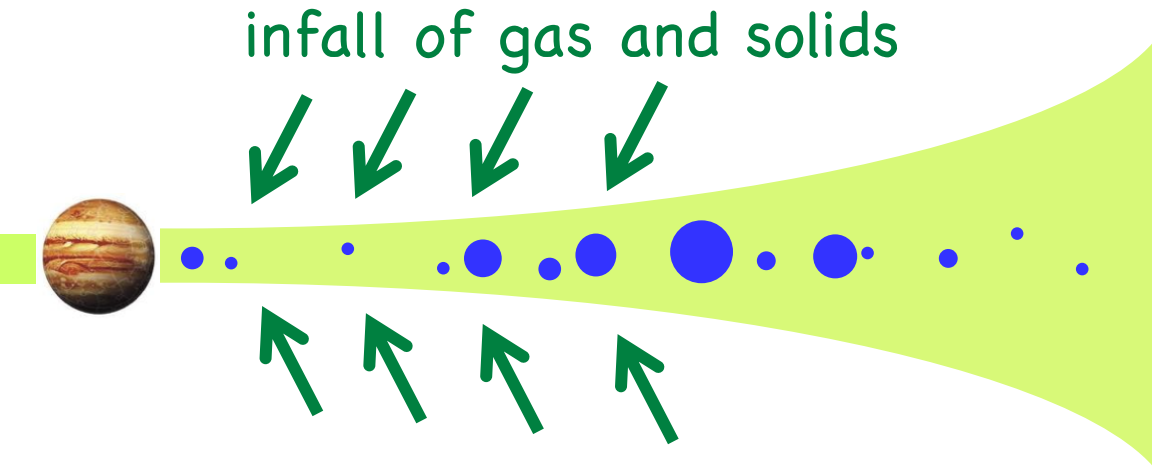
Numerical simulation

# CPD Models & Moon Formation

- Minimum mass sub-nebula models
  - hold whole material to form moons
    - e.g. Lunine & Stevenson (1982), Lissauer & Stewart (1993)
- Solid enhanced minimum mass model
  - gas component reduced, laminar
    - Mosqueira & Estrada (2003ab)
- Gas-starved disk model
  - actively supplied viscously evolving disk
    - Canup & Ward (2002, 2006), Sasaki+ (2010)

# Moon Formation in Gas-starved Disk

Canup & Ward (2002, 2006)

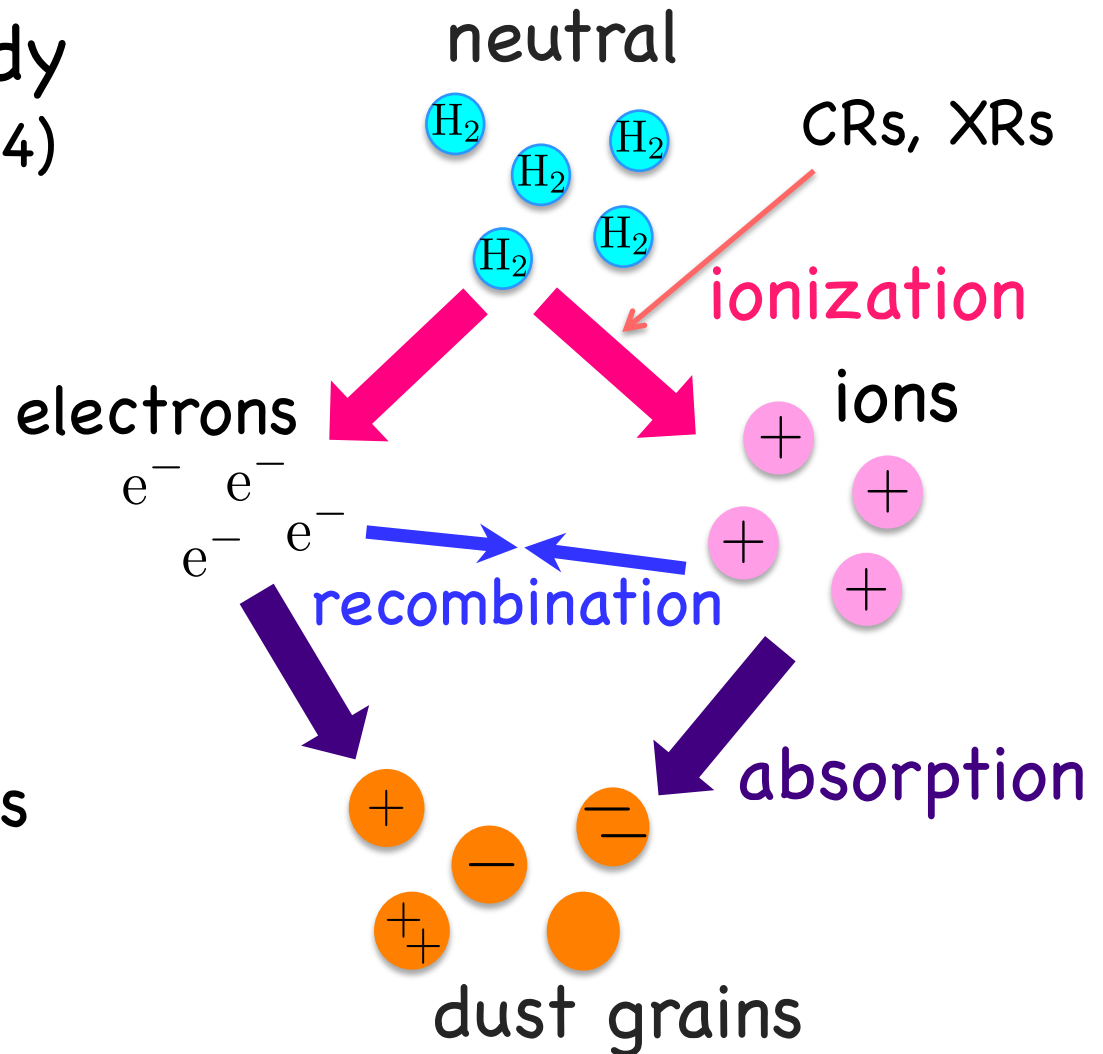


- continuous mass infall from PPD
- turbulent viscosity keeps disk less massive

What is origin?

# Can CPDs Sustain MRI?

Our previous study  
(Fujii et al. 2011, 2014)



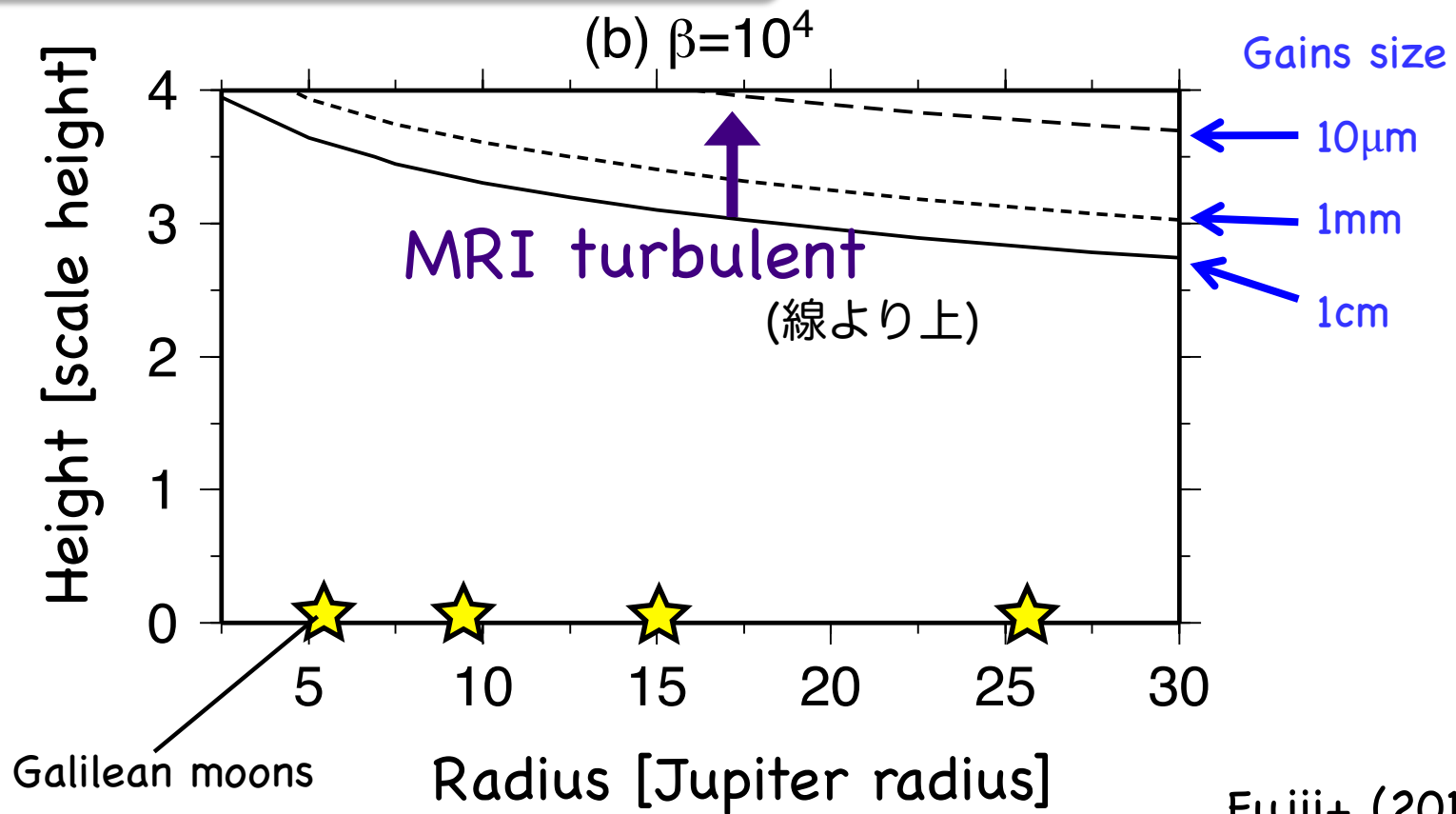
Ionization sources

- cosmic rays
- scattered X-rays
- Radionuclides

# Feasibility of MRI in Gas-starved Disk Model

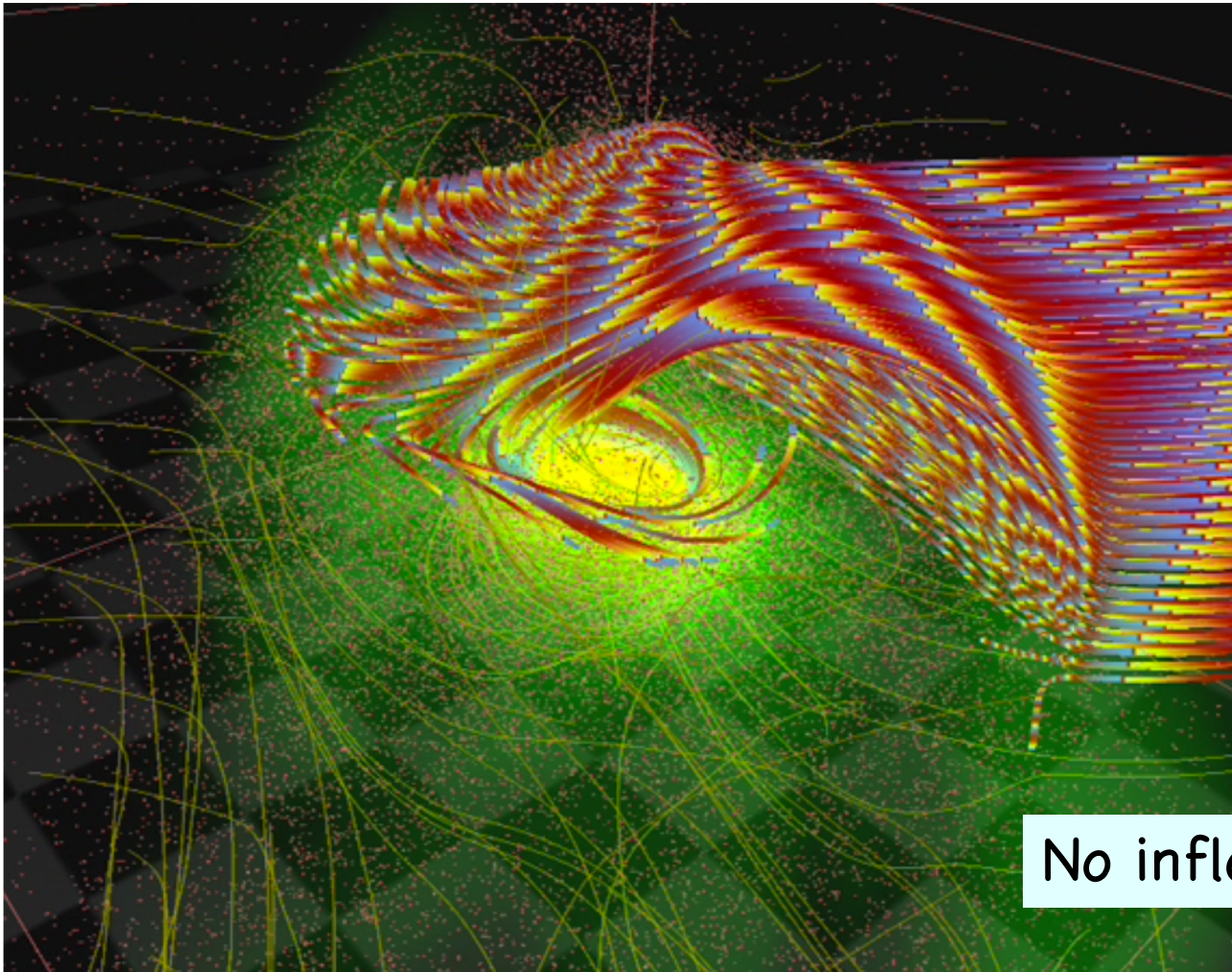
期待される粘性値は達成できない

dust-to-gas mass ratio =  $10^{-2}$



Fujii+ (2011)

# Simulations of CPD Formation



Isothermal  
Inviscid

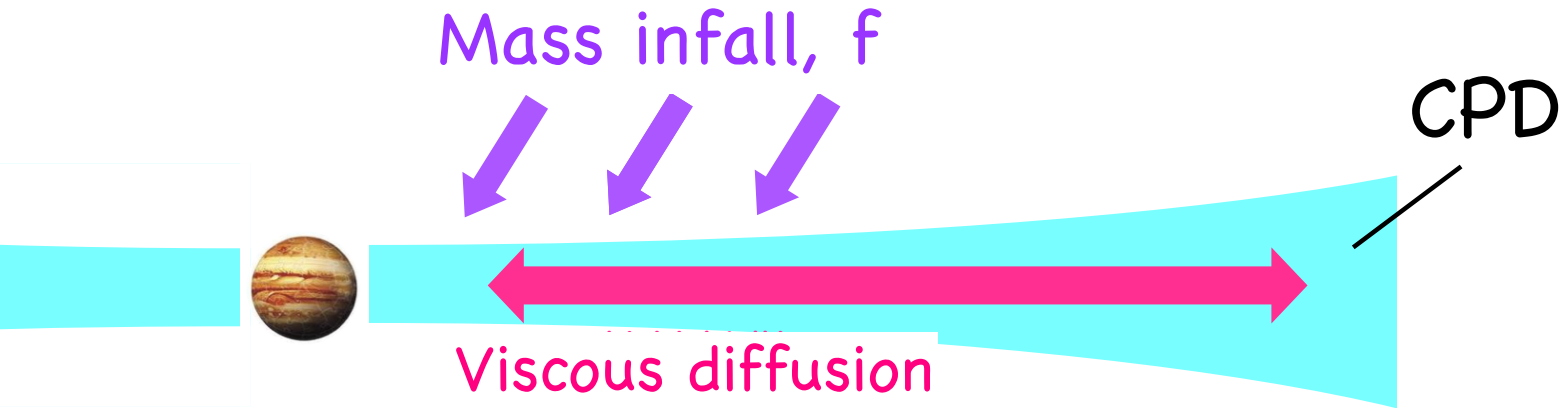
Local simulation  
11-levels of SMR

$$r_{\text{smooth}} = r_{\text{sink}} \sim 0.4R_{\text{J}} \\ (0.07\% \text{ of } r_{\text{H}})$$

No inflow from midplane

Tanigawa et al. (2012, Visualization: T. Takeda)

# CPD Models Based on Tanigawa+ (2012)



Diffusion equation with additional term of infall

$$\frac{\partial \Sigma}{\partial t} = \frac{1}{r} \frac{\partial}{\partial r} \left( \underline{3r^{\frac{1}{2}} \frac{\partial}{\partial r} \left( r^{\frac{1}{2}} \nu \Sigma \right)} \right) + \underline{f}$$

$r$  : radius  
 $\Sigma$  : surface density  
 $c_s$  : sound speed  
 $H$  : scale height  
 $\nu = \alpha c_s H$   
 viscous coefficient  
 $\alpha$  : viscous parameter

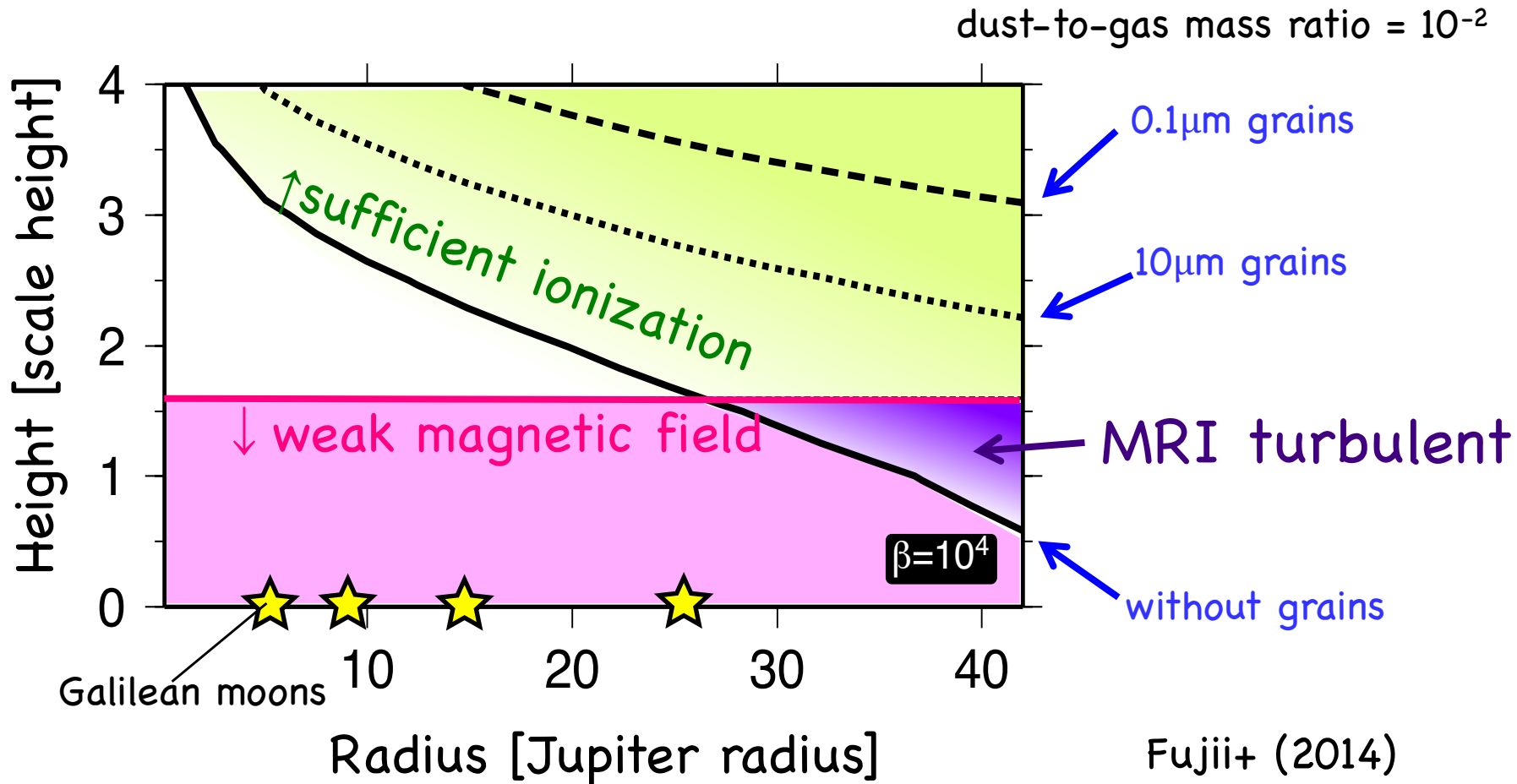
$$f = 1.3 \times 10^{-3} \epsilon \left( \frac{\Sigma_p}{143 \text{ g cm}^{-2}} \right) \left( \frac{r}{R_J} \right)^{-1} \text{ g cm}^{-2} \text{ s}^{-1}$$

(Tanigawa+ 2012)

$\epsilon$  : reduction factor (これは単純なモデル, Fujii+ 2014, 2017)



# Feasibility of MRI in CPD Models Based on Tanigawa et al. (2012)

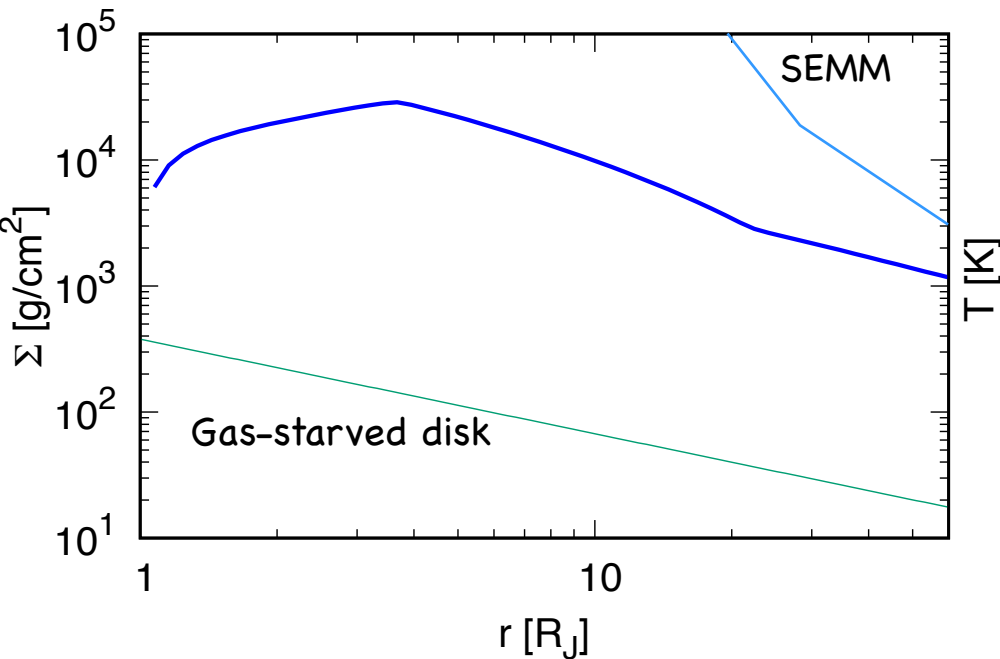


Turbulence cannot develop in moon forming region

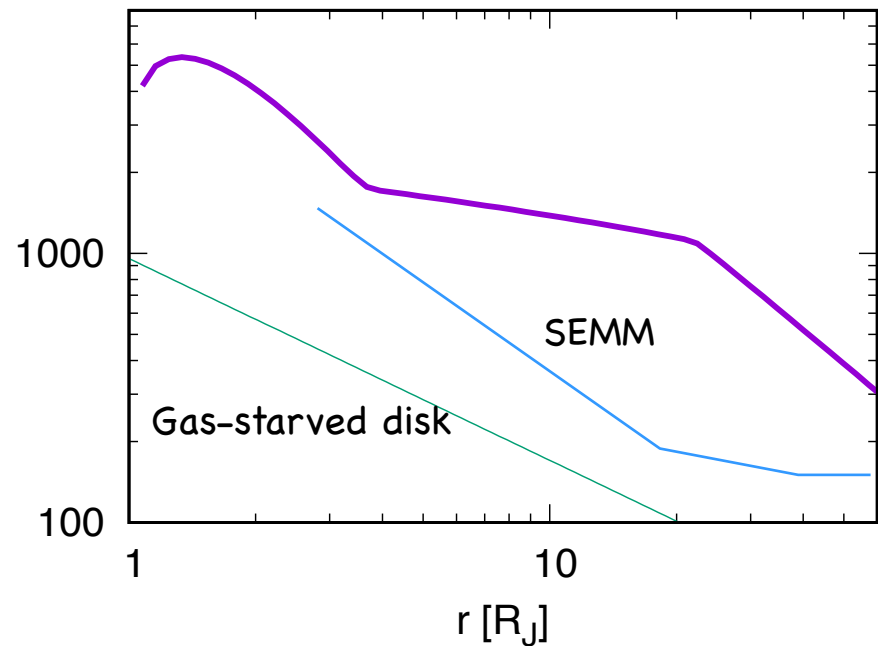
# Moon Formation in Weakly Accreting Disks

Disk structure with  $\left\{ \begin{array}{l} \alpha_{\text{floor}} = 10^{-4} \\ \varepsilon = 10^{-2} \text{ (with gap in PPD)} \end{array} \right.$

Surface density



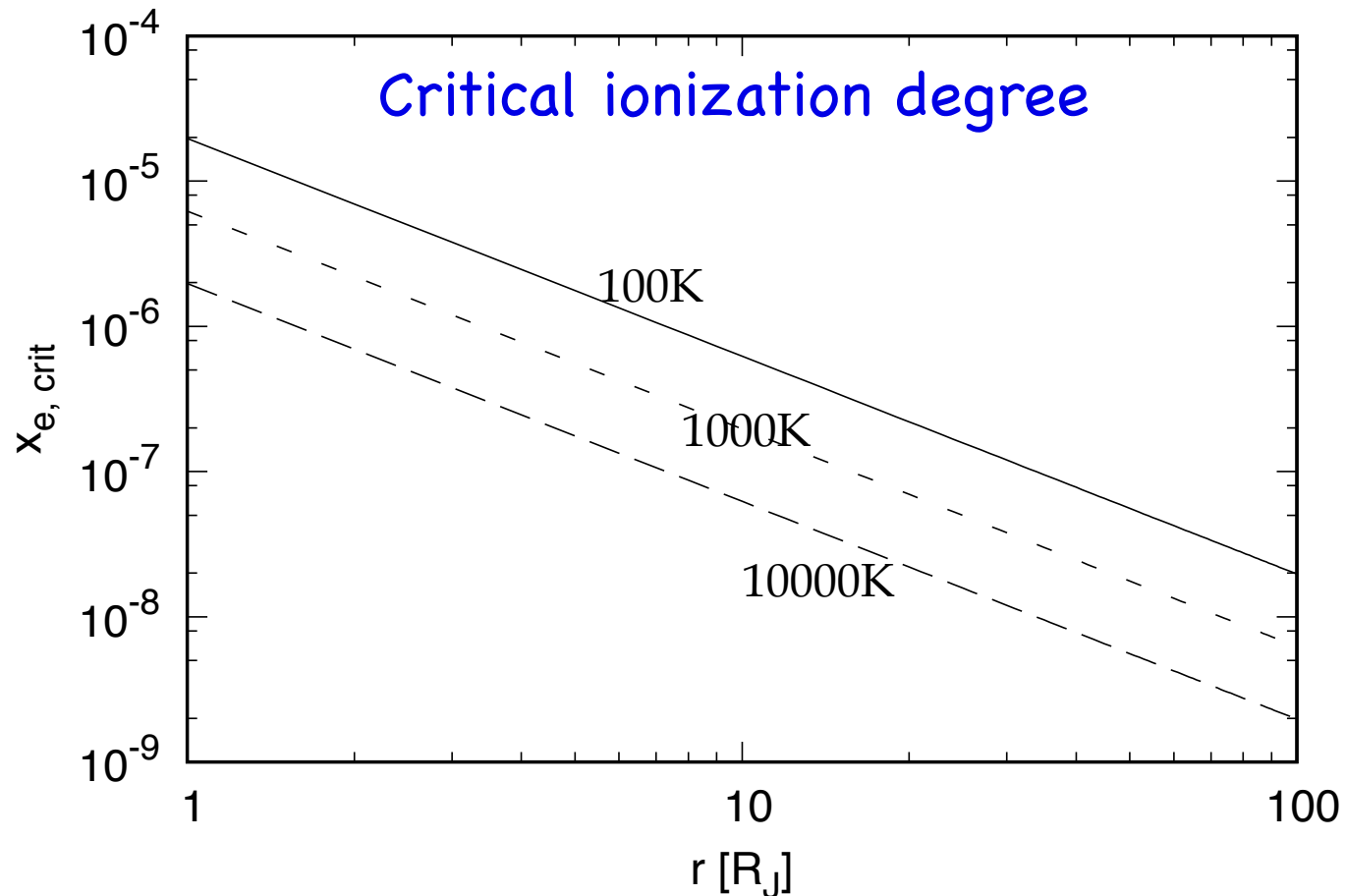
Temperature



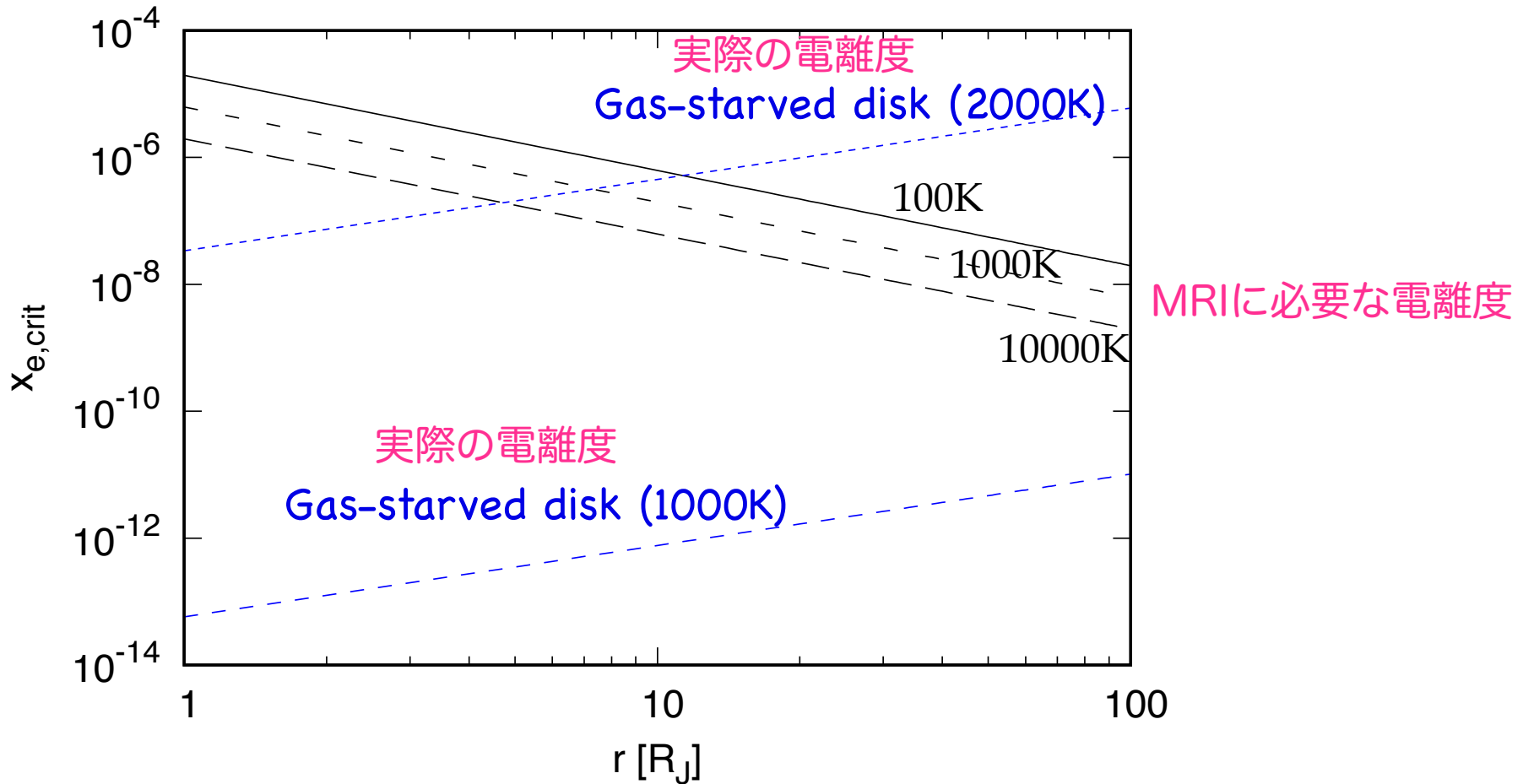
# Thermal Ionization in CPD?

Saha equation for K, Na, Mg, & H

Typical assumption: if  $T > 1000\text{K} \Rightarrow \text{MRI active}$



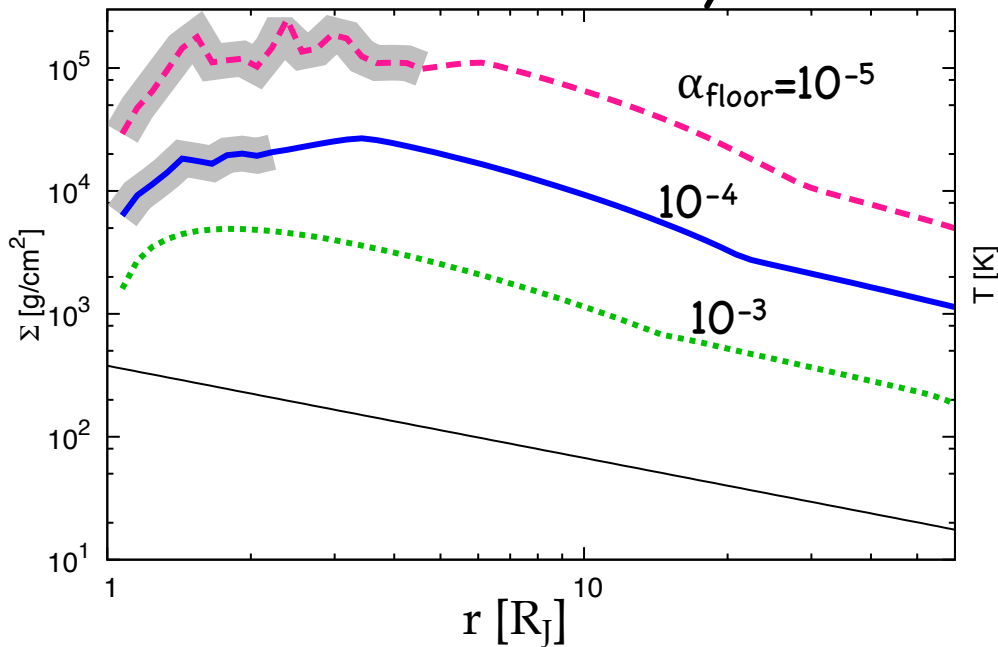
# T=1000K is not Enough in CPD



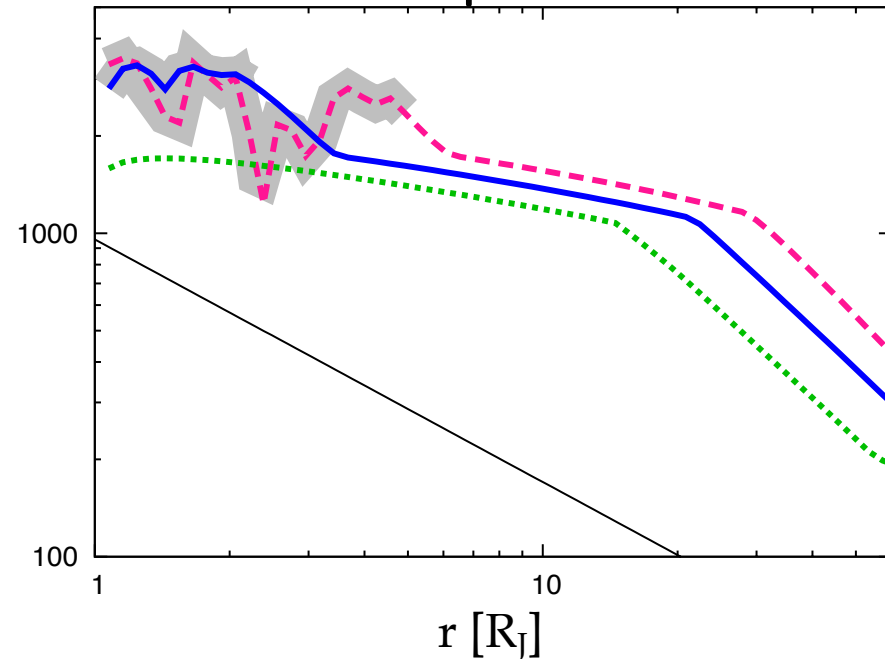
# MRI Regulates Temperature?

1D model of CPDs by Fujii+ (2017)

Surface density



Temperature



$T \gtrsim 2500$

→ Thermal ionization triggers MRI

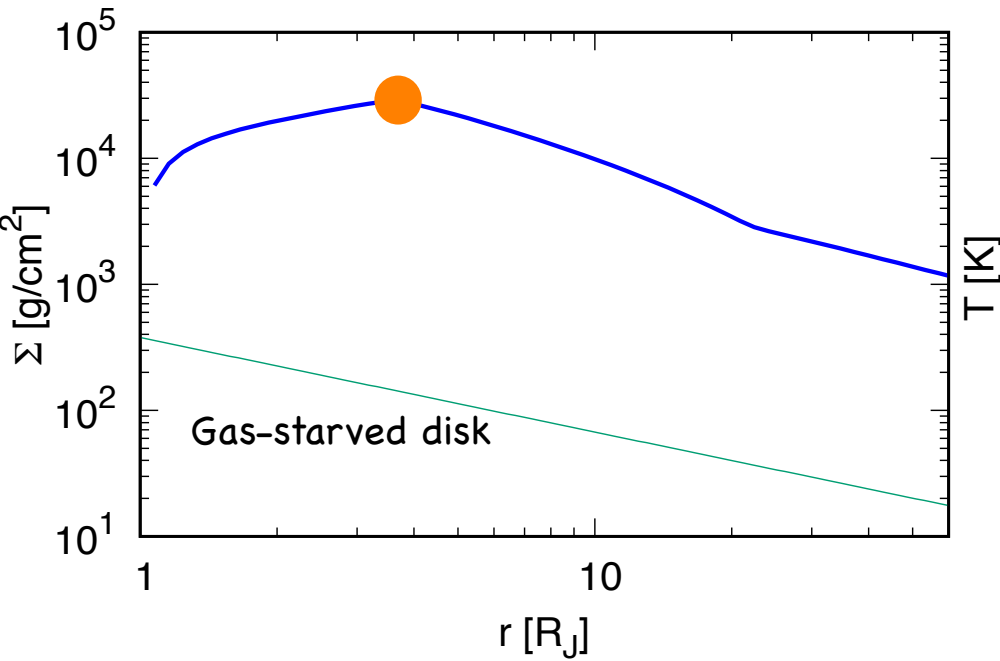
→ Accretion rate increases

Bell & Lin opacity  
No compression heating

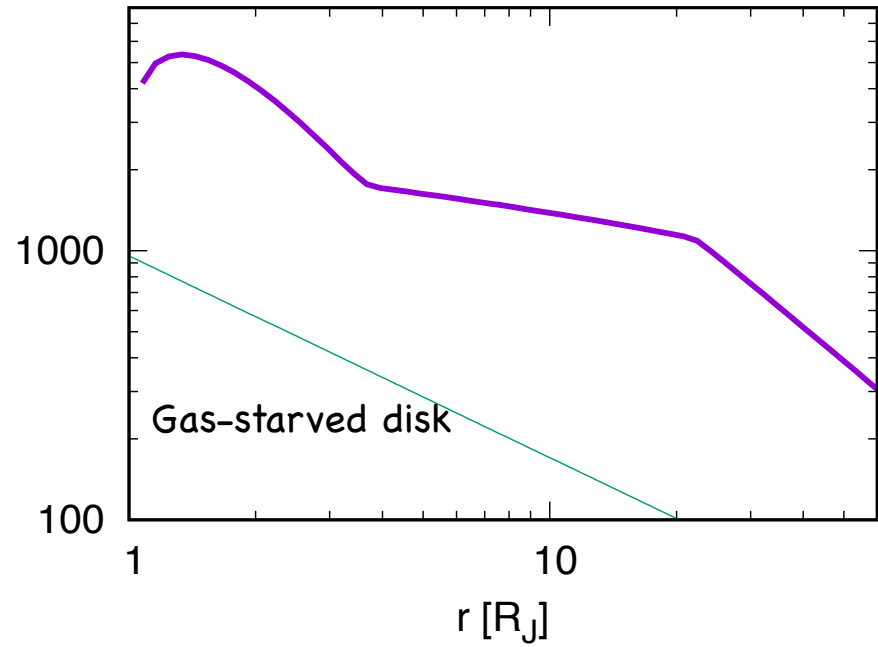
# Can Moon Stop Migrating?

$$\alpha_{\text{floor}}=10^{-4}$$
$$\varepsilon=10^{-2} \text{ (with gap in PPD)}$$

Surface density



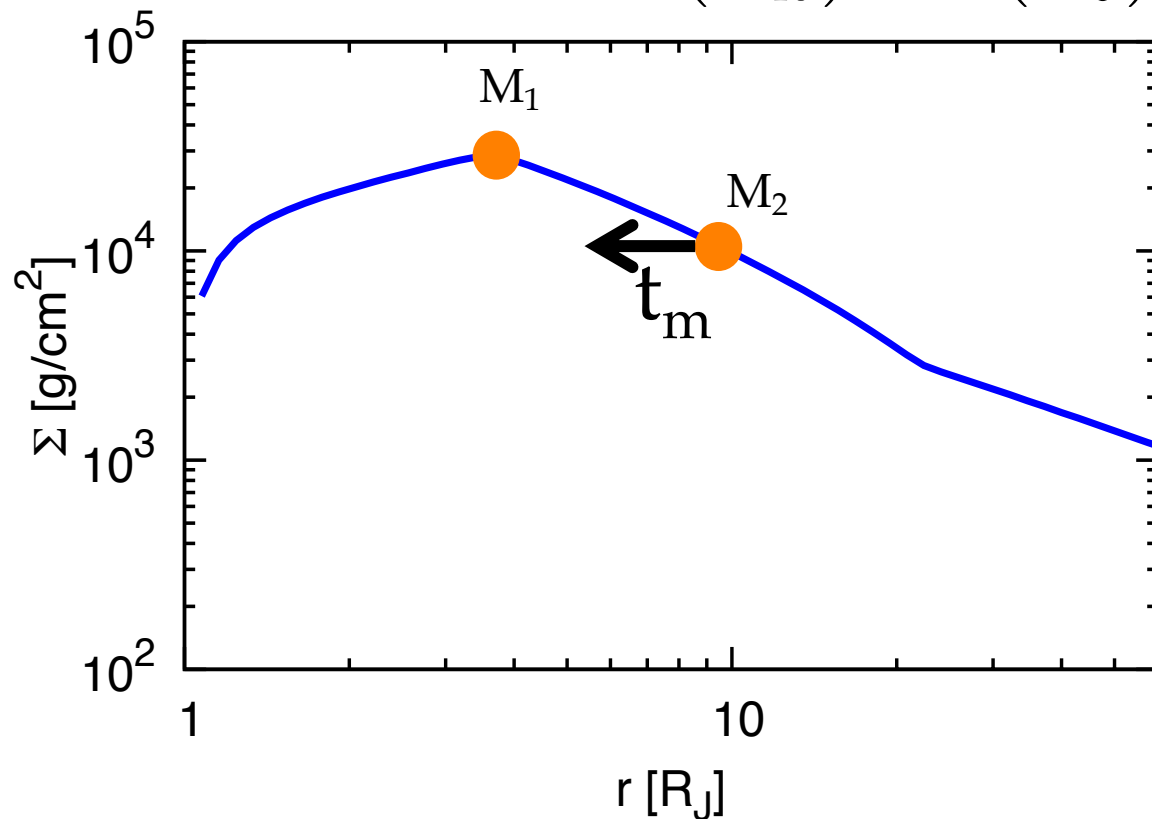
Temperature



# Capture of Moons in Resonance

$$t_m > t_{m,\text{crit}} \Rightarrow \text{captured}$$

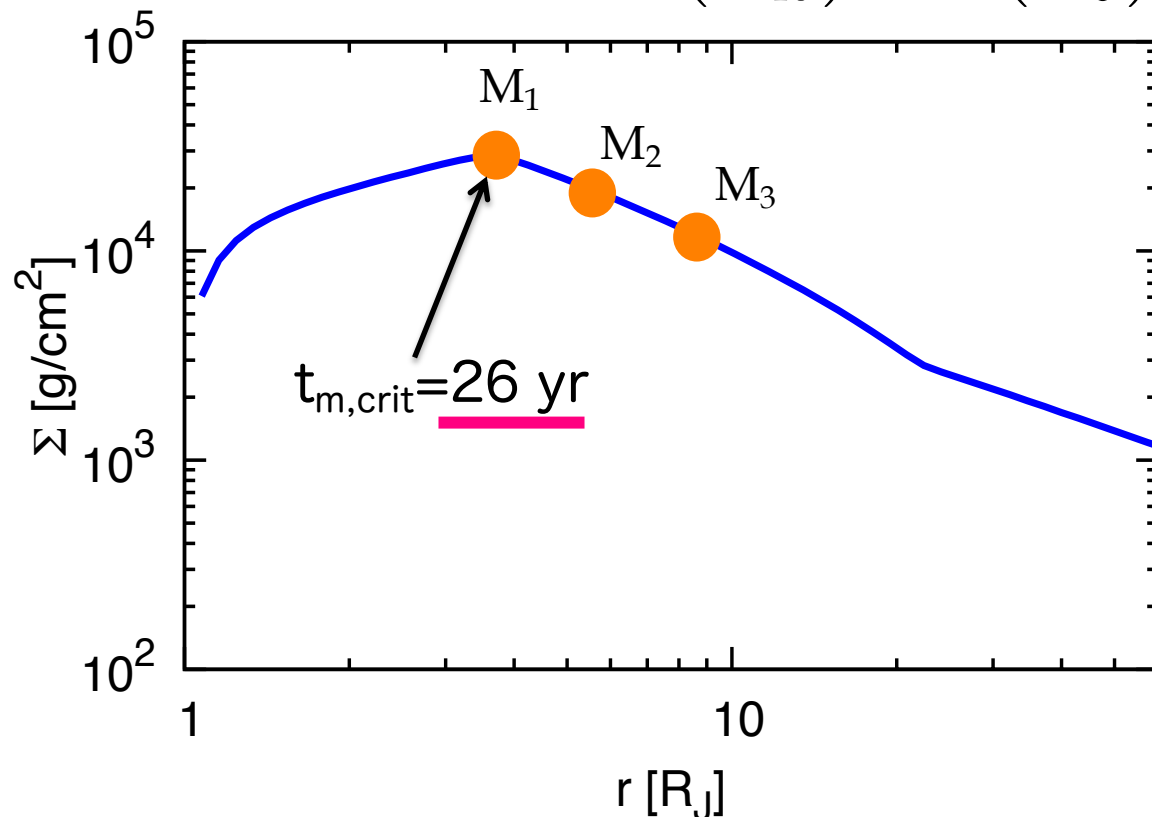
$$t_{m,\text{crit}} = 2.5 \times 10^4 \left( \frac{M_s}{M_{\text{Io}}} \right)^{-4/3} \left( \frac{M_p}{M_J} \right)^{4/3} T_K \quad (\text{Ogihara \& Kobayashi 2013})$$



# Capture of Moons in Resonance

$$t_m > t_{m,\text{crit}} \Rightarrow \text{captured}$$

$$t_{m,\text{crit}} = 2.5 \times 10^4 \left( \frac{M_s}{M_{\text{Io}}} \right)^{-4/3} \left( \frac{M_p}{M_J} \right)^{4/3} T_K \quad (\text{Ogihara \& Kobayashi 2013})$$



2:1 resonance with  $M_1$  (@  $3.5 R_J$ )  
 $\Rightarrow M_2$  @  $5.6 R_J$

$t_m(5.6 R_J) = \underline{2400 \text{ yr}} > t_{m,\text{crit}}$   
 $\Rightarrow$  captured

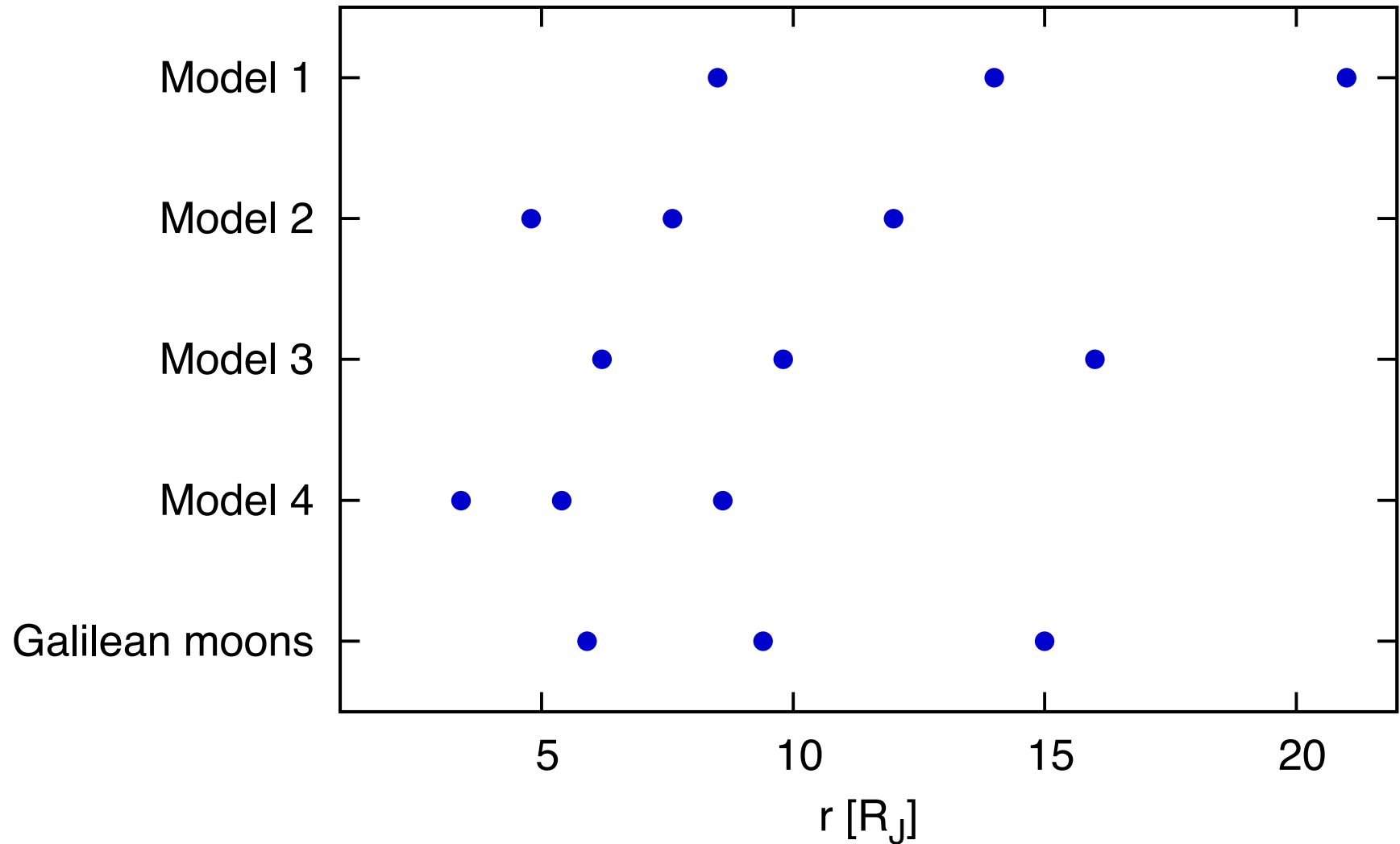
$M_3$  can be also  
 captured @  $8.8 R_J$

$$M_1 : M_2 : M_3 = 4 : 2 : 1$$



# Orbits of Systems

Fujii+ (2017)



ガリレオ衛星のようなものは一旦は作れそう (Fujii+2017)

それが生き残れるかは円盤の進化次第

周惑星円盤の長時間進化が知りたい

その前に、、、

磁場の影響や温度進化も考慮すると周惑星円盤の形成の様子も異ってくるかもしれない

# 磁場ありの計算

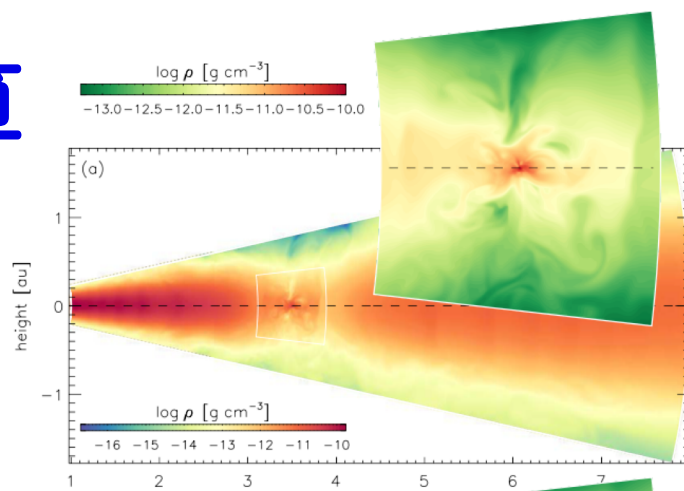
Gressel et al. (2013)

Global  
Viscous (MRI)

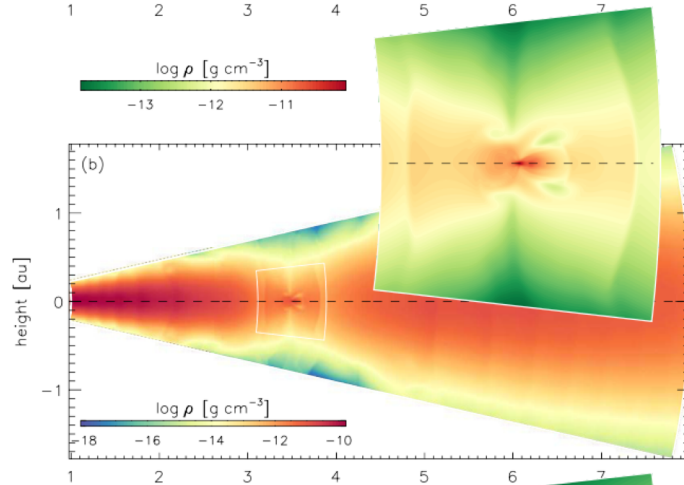
3-levels of AMR

$r_{\text{smooth}} = r_{\text{sink}} : 5\% \text{ of } r_{\text{H}}$

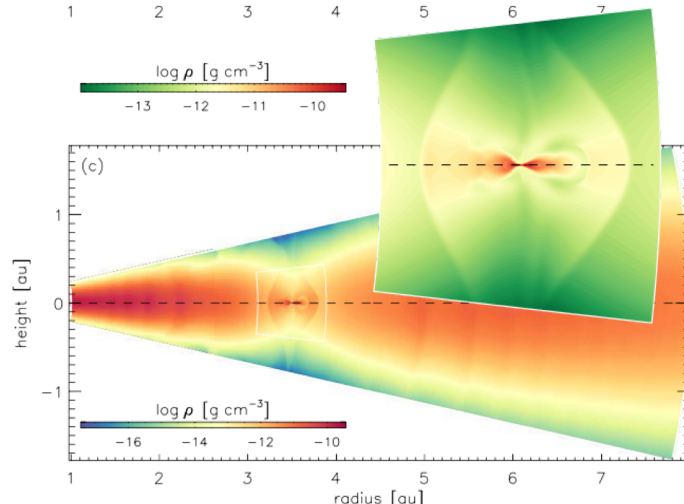
(~Calisto's semi-major axis)



MHD



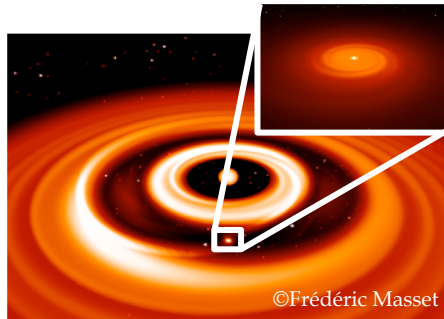
HD with cooling



Isothermal HD

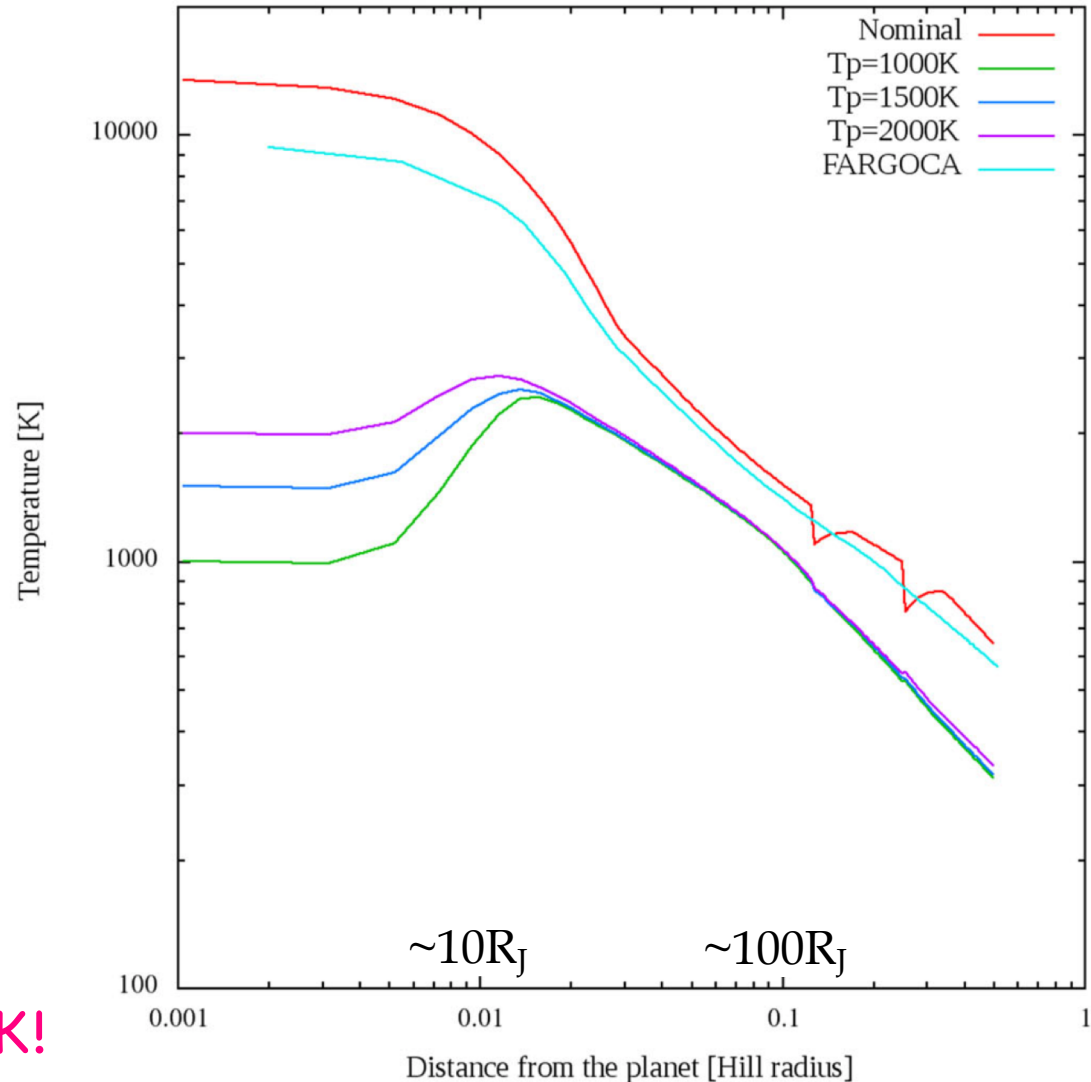
# Extremely High Temperature

3D-RHD simulation  
by Szulagyi+ (2016)



$1M_J$  planet at 5.2AU  
Adiabatic EOS  $\gamma=1.43$   
Bell & Lin opacity  
Viscosity:  $\alpha \sim 0.004$

Max temperature: 13000K!



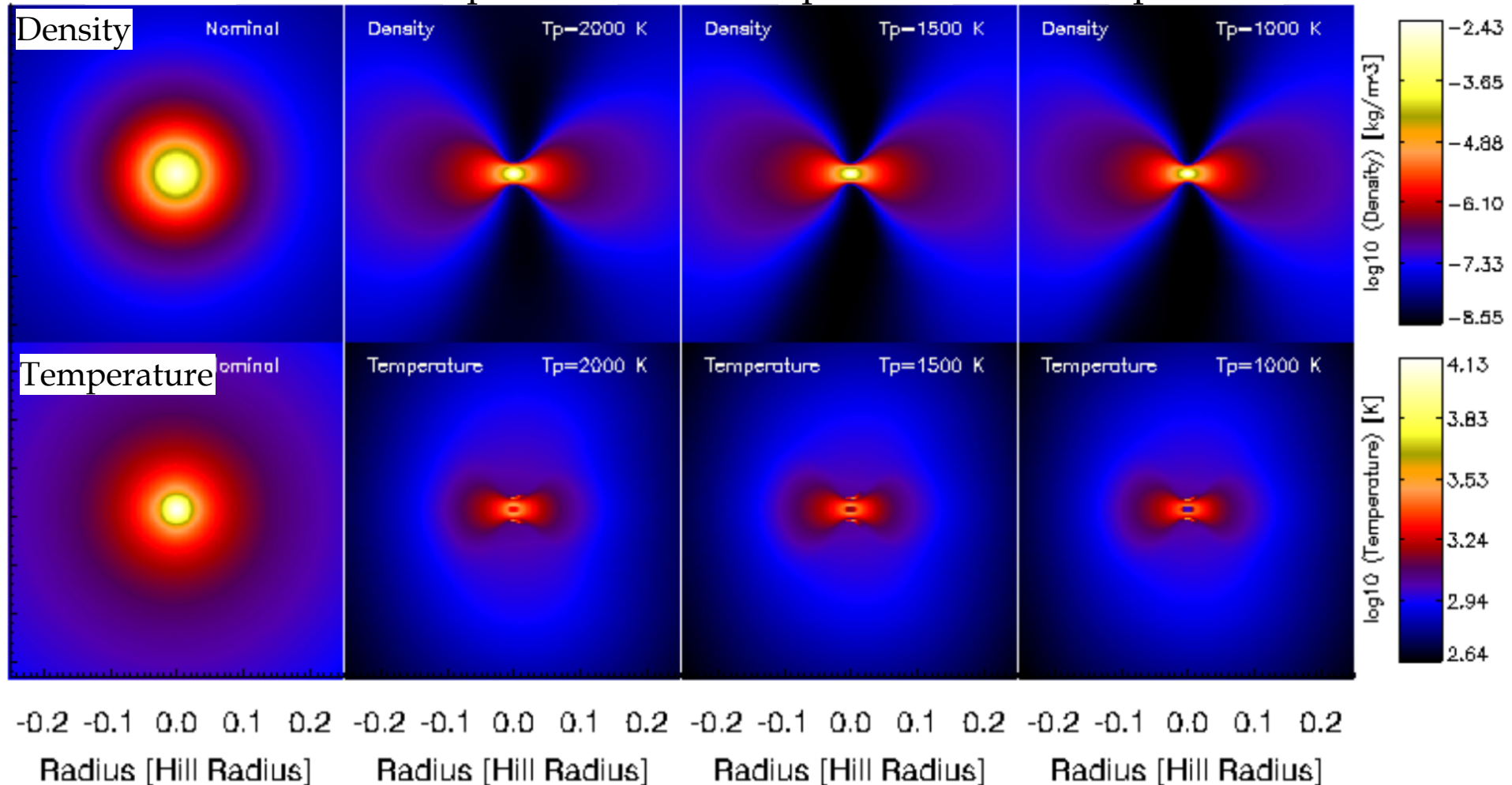
# Envelope? Disk?

Nominal

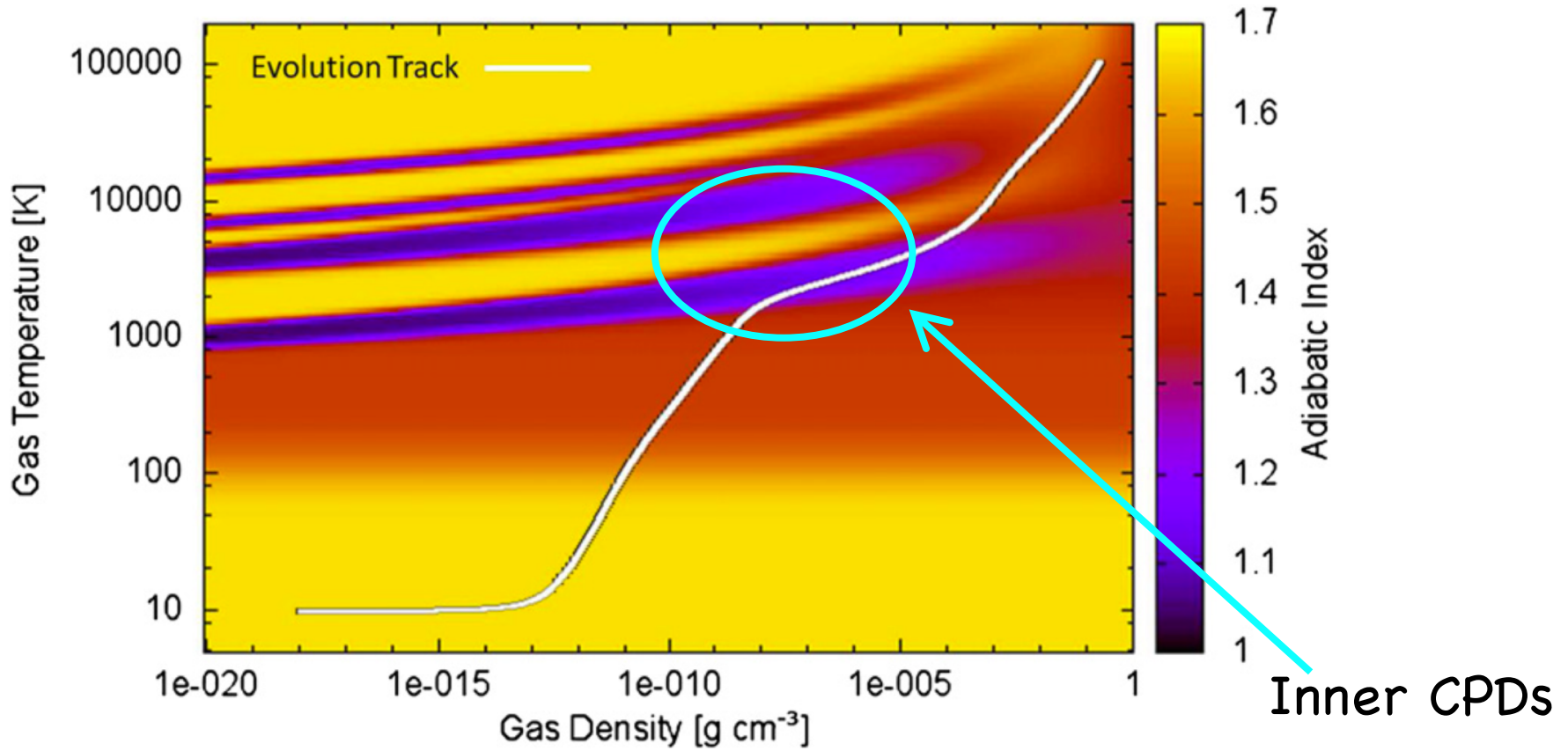
$T_p=2000\text{K}$

$T_p=1500\text{K}$

$T_p=1000\text{K}$



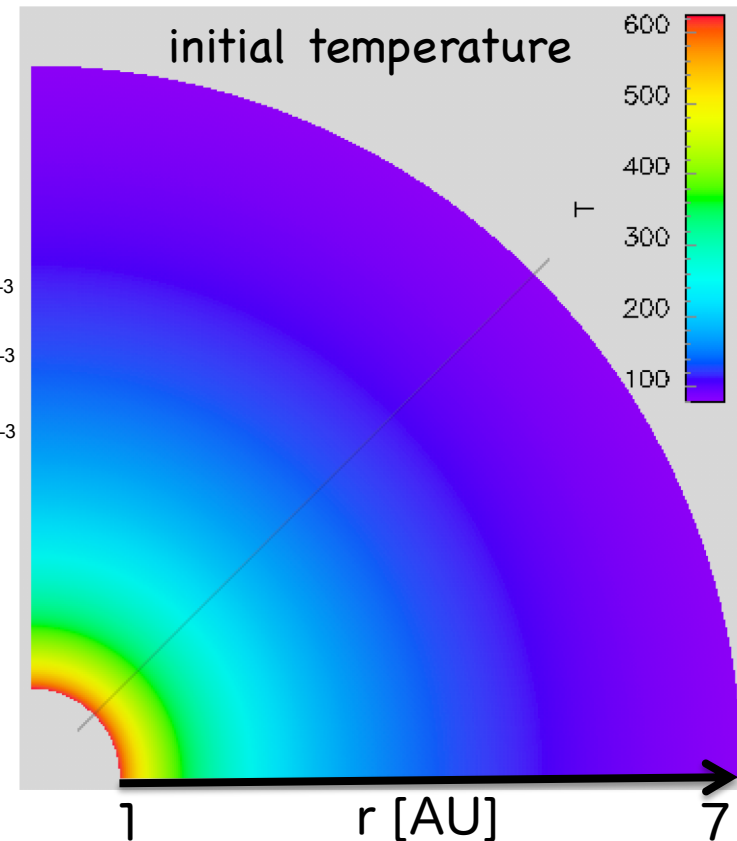
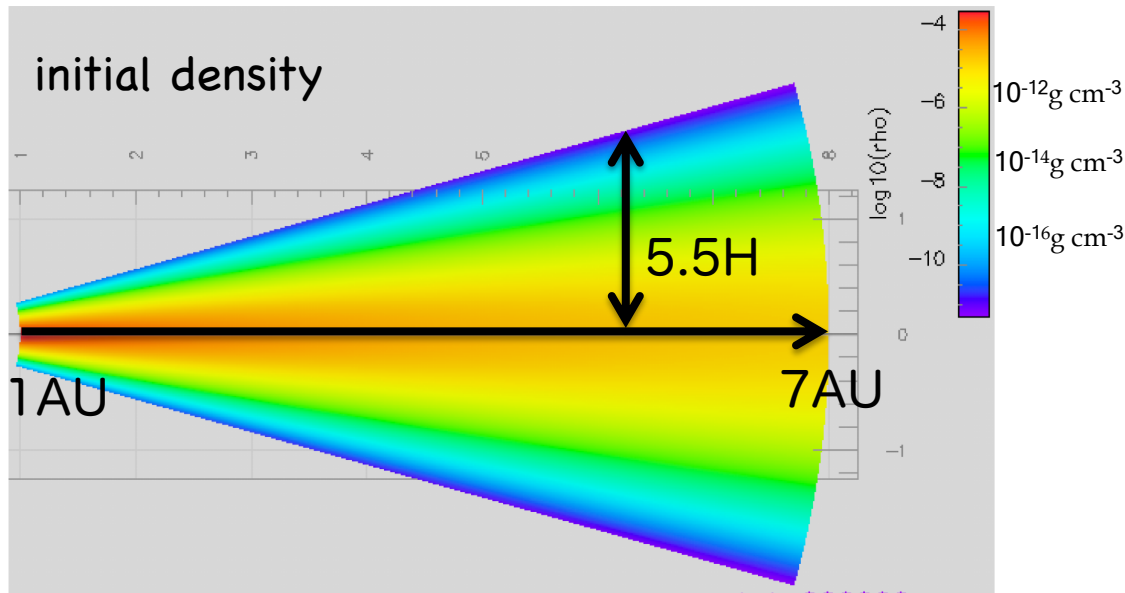
# Realistic EOS



Tomida+ (2013)

# Radiation HD Simulations

- code: NIRVANA3.5 (Ziegler 2004&2011, modified by Oliver Gressel)
- Adopted realistic EOS table by Tomida+ (2013, 2015),  $\alpha=10^{-4}$
- planet: 1 Jupiter mass, orbit=3.5AU
- disk model, domain size:



- resolution:  $N_r \times N_\theta \times N_\phi = 160 \times 80 \times 128$  (base) + 5 levels of AMR

# Snapshot: Density Distribution

