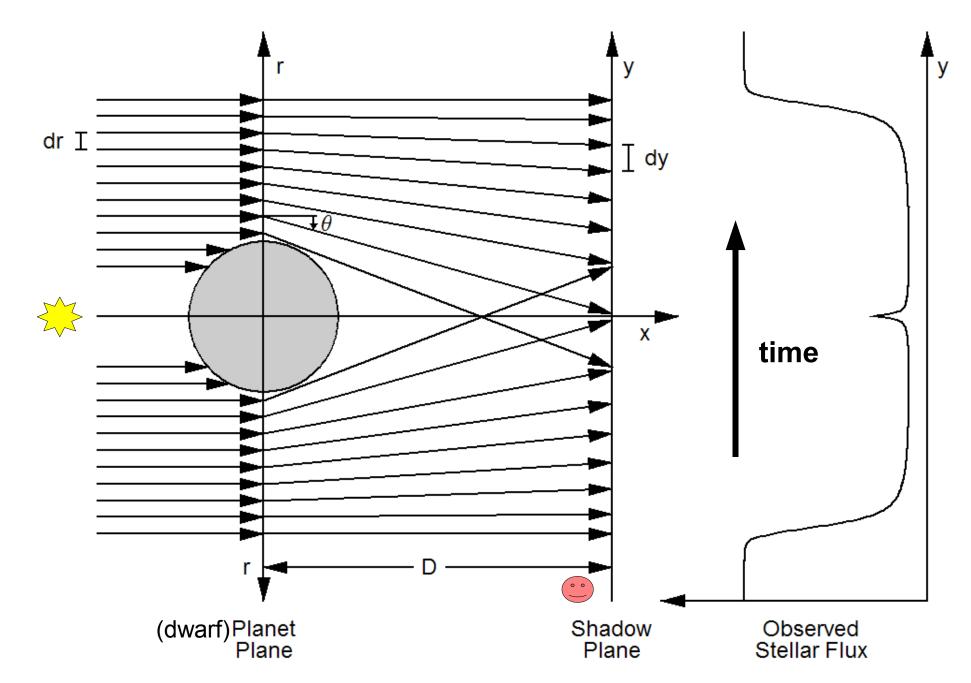
An Analysis of Pluto Occultation Light Curves Using an Atmospheric Radiativeconductive Model

Angela Zalucha (MIT) Amanda Gulbis (Southern African Large Telescope and South African Astronomical Observatory, MIT) Xun Zhu (APL) Darrell Strobel (JHU) Jim Elliot (MIT)



A stellar occultation occurs when a planet moves in front of a star. As starlight passes through the atmosphere, it is refracted. By measuring the intensity of light as a function of time, an observer in the shadow plane can determine the atmospheric structure.

# <u>Determining atmospheric</u> <u>temperature from light curves</u>

The Elliot and Young (1992) model has used extensively to model stellar occultation light curves. Out of mathematical convenience, it assumes a power law for the dependence of temperature on radius,  $T=T_h(r/r_h)^b$ , which may not be accurate. The Elliot et al. (2003) inversion method makes no such assumption in the inversion region, but requires a boundary condition at higher radii. The boundary condition that is usually used is the Elliot and Young (1992) model, which may cause systematic temperature errors in the inversion region. Zalucha et al. (2007) developed method using spikes in the light curve, but it also relies on Elliot and Young (1992) model for the upper boundary condition. In this study, we use the model of Strobel et al. (1996), which predicts atmospheric structure from the consideration of physical processes occurring in Pluto's atmosphere.

## <u>Strobel et al. (1996) radiative-conductive</u> (convective) model for Pluto's atmosphere

$$c_{p}\rho\frac{\partial T}{\partial t} = \frac{1}{r^{2}}\frac{\partial}{\partial r}\left|r^{2}K\frac{\partial T}{\partial r}\right| + R_{net}$$

Input parameters surface radius surface temperature surface pressure  $CH_4$  mixing ratio CO mixing ratio troposphere depth\*\*

Non-LTE heating by CH<sub>4</sub> 3.3µm vibrational bands +

Non-LTE heating by CH<sub>4</sub> 2.3µm vibrational bands +

Non-LTE cooling by CH<sub>4</sub> 7.6µm vibrational bands +

LTE cooling by CO rotational lines

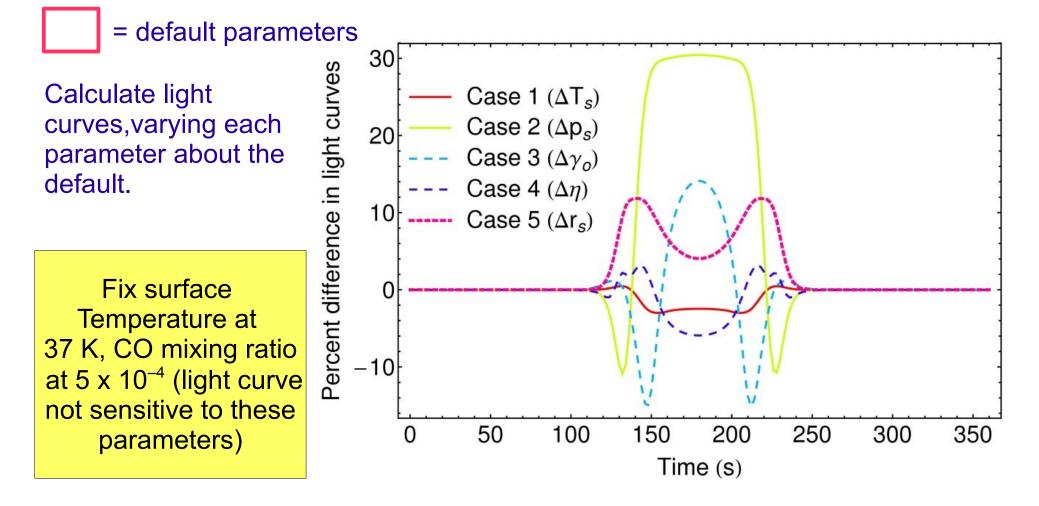
(Primary atmospheric constituent is assumed to be N<sub>2</sub>)

#### Important note:

Even though occultation does not probe the surface, a change in surface properties affects the entire temperature profile and hence the light curve

## Assessing the importance of each parameter

Case 1:	T <sub>s</sub> = 37 K	$\rightarrow$ 42 K (constrained by surface frost)
Case 2:	p <sub>s</sub> = 18 µbar	$\rightarrow$ 10 µbar (doubling of surface pressure?)
Case 3:	$\widetilde{CH}_4$ mixing ratio = 2 x 10 <sup>-3</sup>	$\rightarrow$ 6 x 10 <sup>-3</sup> (other measurements 5-10x10 <sup>-3</sup> )
Case 4:	CO mixing ratio = $5 \times 10^{-4}$	$\rightarrow$ 200 x 10 <sup>-4</sup> (insensitive to large variations) $\rightarrow$ 1180 km (range from other measurements)
Case 5:	Surface radius = 1152 km	$\rightarrow$ 1180 km (range from other measurements)



Solve for T on a grid of surface pressure and CH<sub>4</sub> mixing ratio values Procedure for obtaining light curves from numerical model = numerical model solution

Use ideal gas law and hydrostatic balance to obtain refractivity first and second derivatives with r at each grid point

> Interpolate refractivity first and second derivatives in surface pressure and CH4 mixing ratio

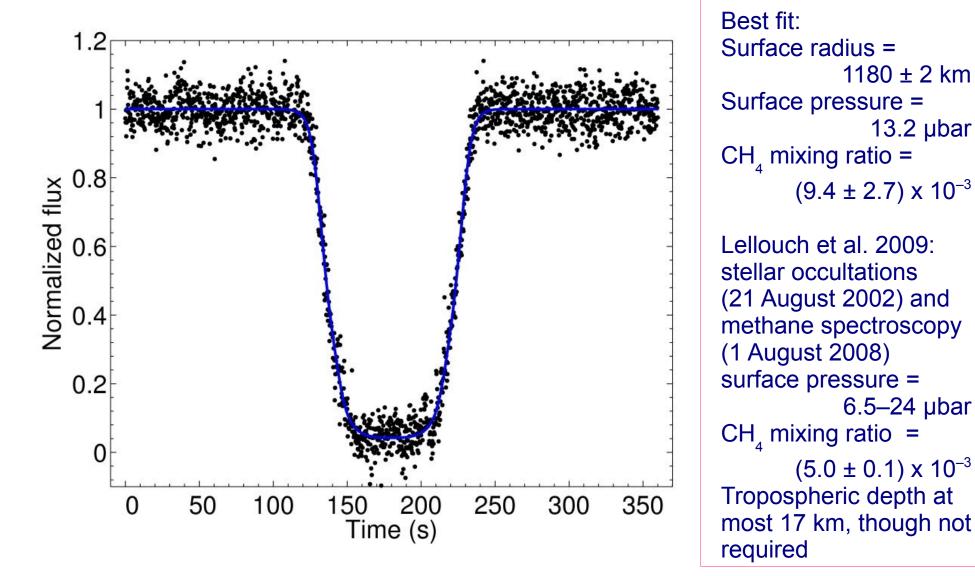
Use Chamberlain and Elliot 1997 to get light curve for any point in interpolation region

Least-squares
fit light
curve data

CH

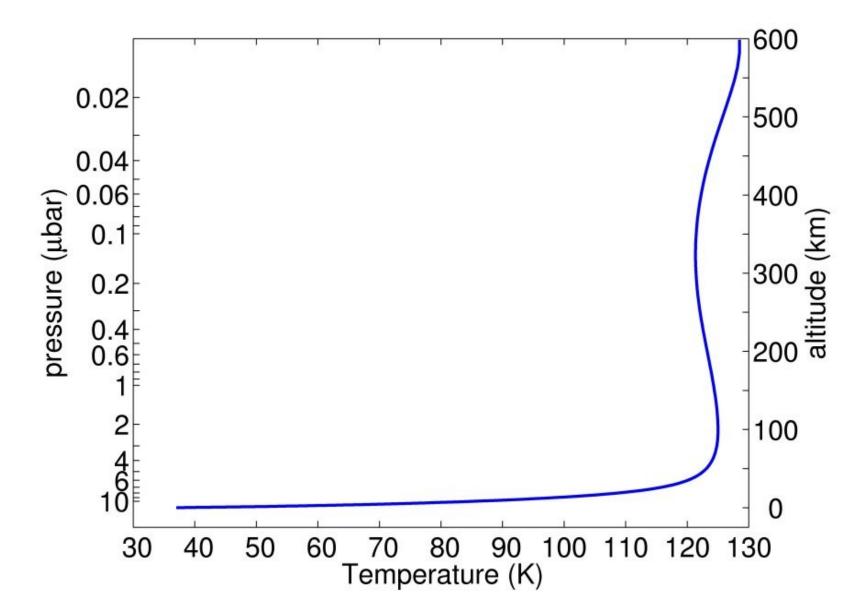
= interpolation region

## Least-squares fit to Siding Spring Light Curve



The Siding Spring light curve (black points) was measured on 12 June 2006 at the Australian National University 2.3m telescope at Siding Spring, Australia (Elliot et al. 2007). The blue curve is the least-squares fit using the Strobel et al. (1996) model.

Temperature profile corresponding to best-fit light curve

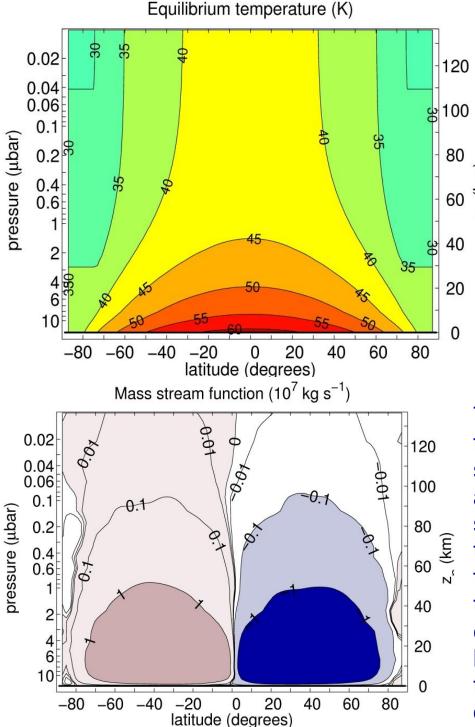


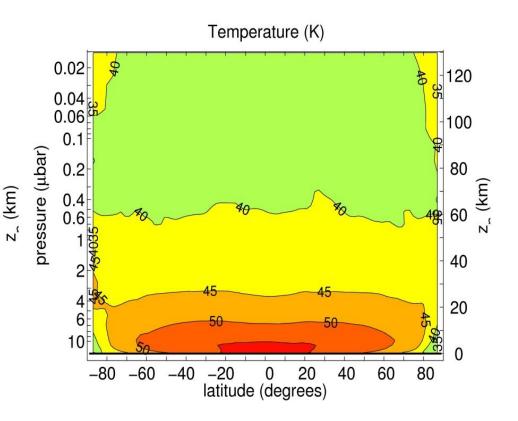
# The next step: a Pluto GCM

The temperature profiles from the Strobel et al. (1996) model are in radiative equilibrium, which means they do not incorporate any heat transport by dynamical processes in the atmosphere. As Pluto has a relatively slow rotation rate of approximately six Earth days, the circulation pattern is expected to be dominated by an equator to pole Hadley cell in each hemisphere around time of the equinox season (the current season on Pluto). Heat is transported by the Hadley circulation from the equator to the poles, resulting in a true atmospheric temperature not in radiative equilibrium.

Zalucha et al. (2010) modified the terrestrial MIT GCM to Mars conditions. To test the importance of dynamics on the temperature structure, this GCM has yet again been modified for Pluto. The obvious choice for the radiation scheme is the Strobel et al. (1996) model, but at present it is not compatible with the MIT GCM. Therefore, I have adjusted the simple Mars radiation scheme to work as an approximation for Pluto conditions.

MIT GCM Held-Suarez configuration \*Newtonian relaxation to equilibrium temperature \*Simple drag-law friction scheme in boundary layer \*Rayleigh drag in top three model levels \*30 vertical levels \*32 x 32 x 6 cube-sphere configuration (about 2.8° x 2.8° horizontal resolution) \*Run at perpetual season \*No frost cycle, temperature is instantaneously reset to frost temperature with no change in mass





The equilibrium temperatures used to thermally force the simple Pluto GCM are shown on the upper left. The resulting zonally and temporally averaged temperatures are shown on the upper right. They differ due to the effects of dynamics. The mass stream function is shown on the lower left, indicating that the circulation is dominated by a Hadley circulation. In the next phase of this project, light curves will be calculated from GCM compared temperatures with and the occultation data.

# <u>Summary</u>

Previous methods for determining atmospheric temperature from stellar occultation data required the assumption of a mathematically convenient expression for the dependence of temperature with radius.

The Strobel et al. (1996) radiative-conductive model, which predicts atmospheric temperature based on surface radius, temperature, and pressure,  $CH_4$  mixing ratio and CO mixing ratio, was used to least-squares fit the 2006 Siding Spring light curve. The results from this fit were surface radius = 1180 ± 2 km, surface pressure = 13.2 µbar, and  $CH_4$  mixing ratio = (9.4 ± 2.7) x 10<sup>-3</sup>.

This model predicts radiative equilibrium temperatures; however, since Pluto's atmosphere is not likely to be in radiative equilibrium, future work with a Pluto GCM is planned to better model the Pluto occultation data.

#### Related topic:

Zalucha et al. (2007) analyzed Titan occultation data using mathematically convenient models for the temperature structure. A radiative model for Titan would be desirable to better analyze this data.

### **Acknowledgments**

This work was supported in part by NASA grants NNX08AE92G, NNX07AK73G, and NNG05GO91G.

### <u>References</u>

Elliot, J. L. and Young, L. A., 1992, "Analysis of stellar occultation data for planetary atmospheres. I - Model fitting, with application to Pluto," *Icarus* 103, 991–1015.

Elliot, J. L., Person, M. J., and Qu, S., 2003, "Analysis of stellar occultation data. II - Inversion, with application to Pluto and Triton," *Astron. J.* 126, 1041–1079.

Lellouch, E. et al., 2009, "Pluto's lower atmosphere structure and methane abundance from high-resolution spectroscopy and stellar occultations," *Astron. Astrophys.* 495, L17–L21.

Strobel, D. F. et al, 1996, "On the vertical thermal structure of Pluto's atmosphere," *Icarus* 120, 266–289.

Zalucha, A. et al., 2007, "The 2003 November 14 occultation by Titan of TYC 1343-1865-1. II. Analysis of light curves," *Icarus* 192, 503–518.

Zalucha, A. M., Plumb, R. A., and Wilson, R. J., 2010, "An analysis of the effect of topography on the Martian Hadley cells," *accepted to J. Atmos Sci.*