

Climate regime diagram of ocean planet

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Background

- Variety of climate has been considered with climate regime diagram

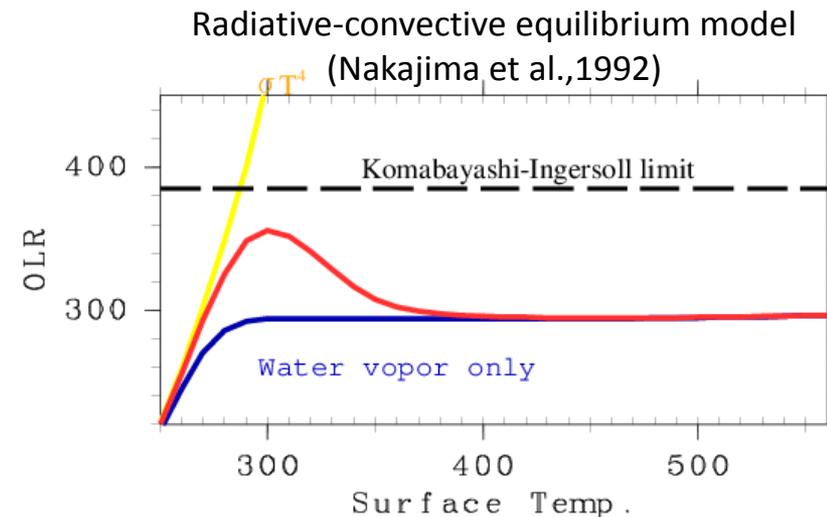
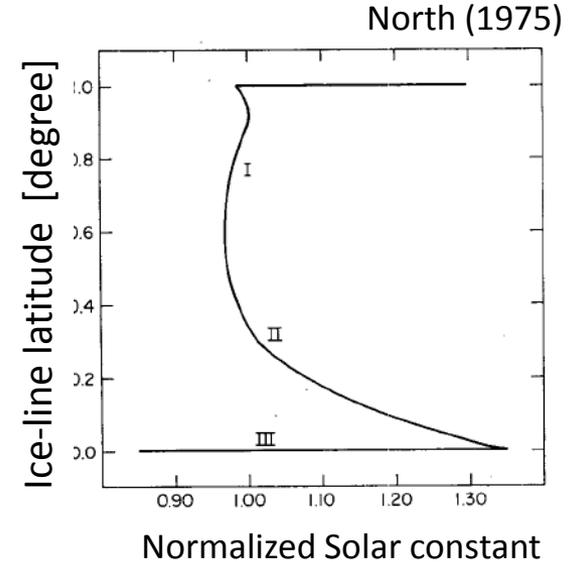
- Budyko (1969), Sellers (1969), and others
- Infrared radiation is represented as
$$I = A + BT$$

- Problems

- Effects of circulations of atmosphere and ocean
- Influence of existence of the runaway greenhouse state

- We consider simple system (straight forward extension of Budyko-Sellers model)

- ocean planet (all surface is covered with ocean)
- Investigation with AGCM and coupled model



climate regime diagram obtained by AGCM

Model

- **Energy Balance Model (EBM)**

- Infrared radiation is calculated with result of Nakajima et al. (1992)

$$C \frac{\partial T}{\partial t} = Q(1 - \alpha(x, x_s))S(x) - I(T) + D \frac{\partial}{\partial x} (1 - x^2) \frac{\partial T}{\partial x}$$

- **Atmospheric general circulation model: DCPAM**

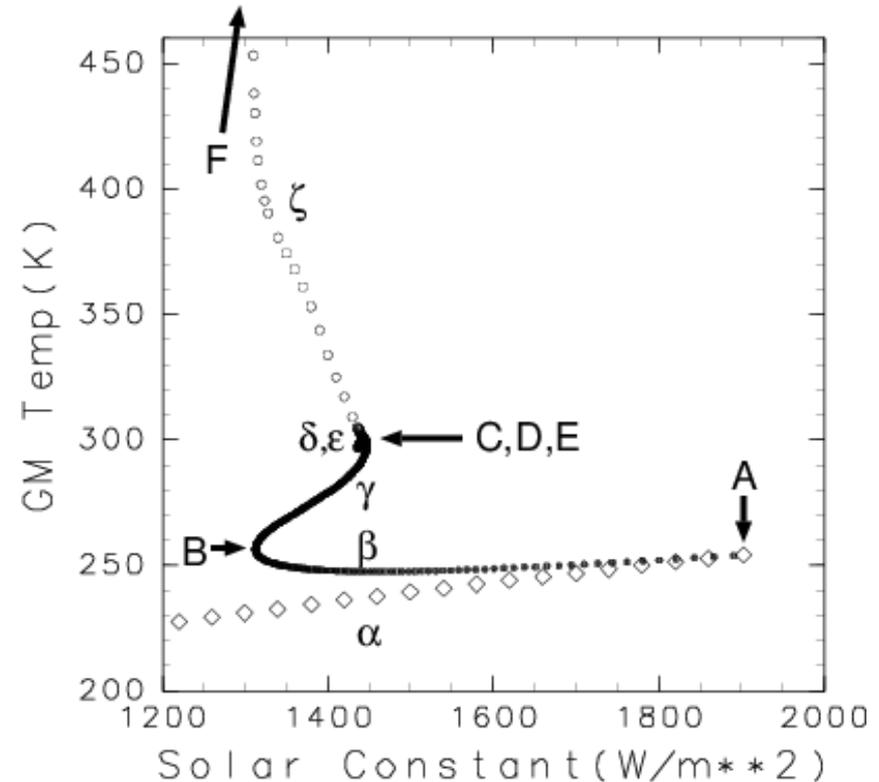
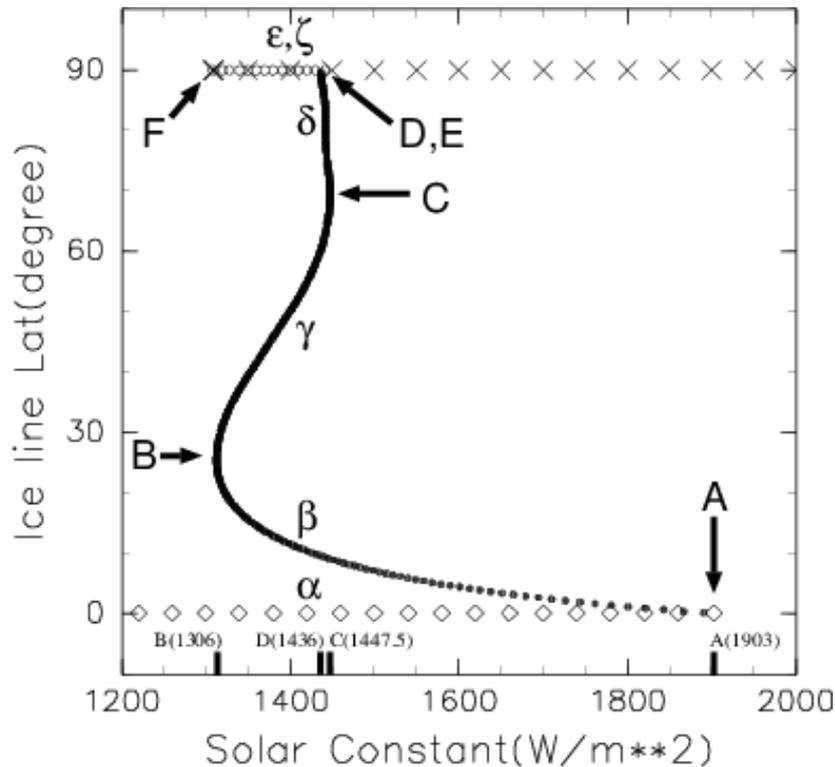
(<https://www.gfd-dennou.org/library/dcpam/>)

- Atmospheric constituent: water vapor, dry air
- Dynamical process : primitive equations
- Radiation process : grey radiation (Nakajima et al., 1992)
 - Absorption coefficient: water vapor: $\kappa_v = 0.01 \text{m}^2/\text{kg}$, dry air: $\kappa_n = 0.0 \text{m}^2/\text{kg}$
- Turbulent mixing: Mellor and Yamada (1982), Louis et al. (1982)
- convection: Manabe et al. (1965), no cloud
- Surface: swamp ocean
- Resolution: T21L16 or T21L32

- **Experimental steup**

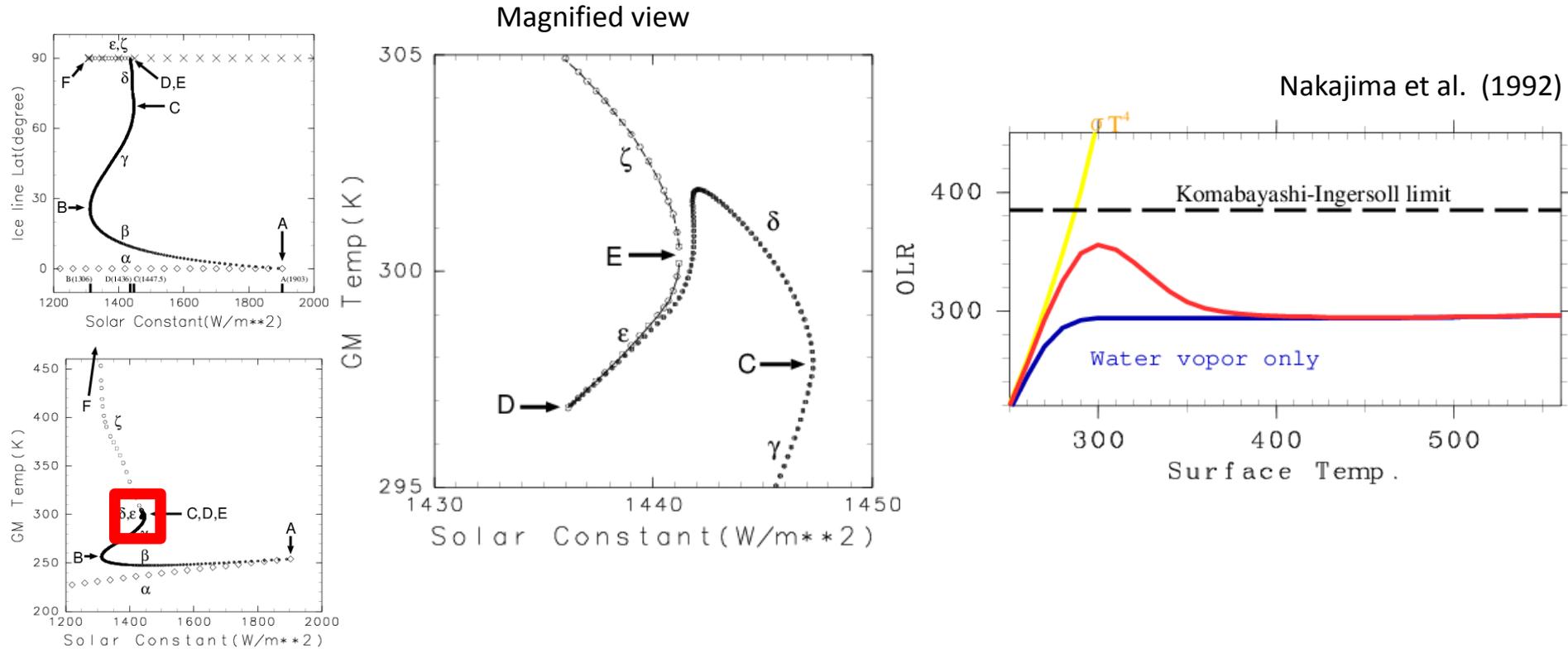
- Solar constant 1200-2000 W/m²
- Planetary radius, surface pressure, planetary rotaion rate, ... are same values of Earth's

EBM regime diagram



- Branch structure is basically same as Budyko-Sellers model
- Ice-free state branch changes because of appearance of the runaway greenhouse state

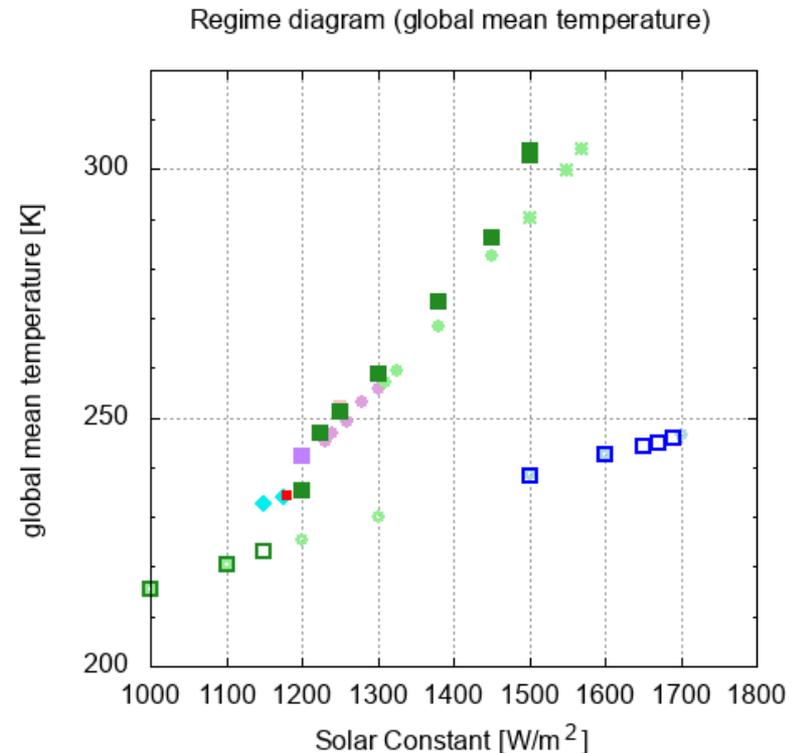
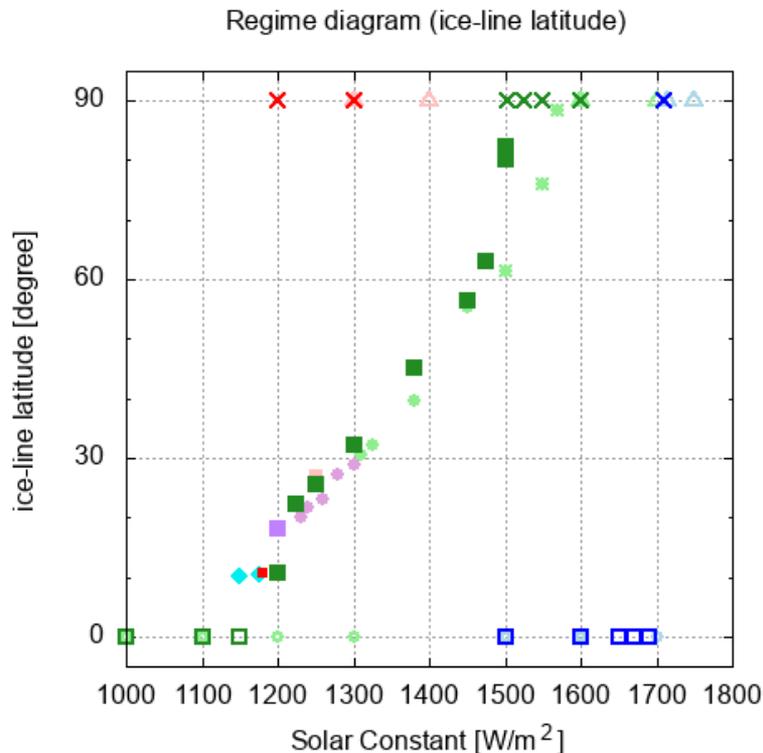
Two branches of ice-free solutions



- **Two Branches of ice-free states are caused by the existence of multiple solutions of vertical one-dim model (Nakajima et al., 1992)**

GCM regime diagram

Ishiwatari et al. (2021)

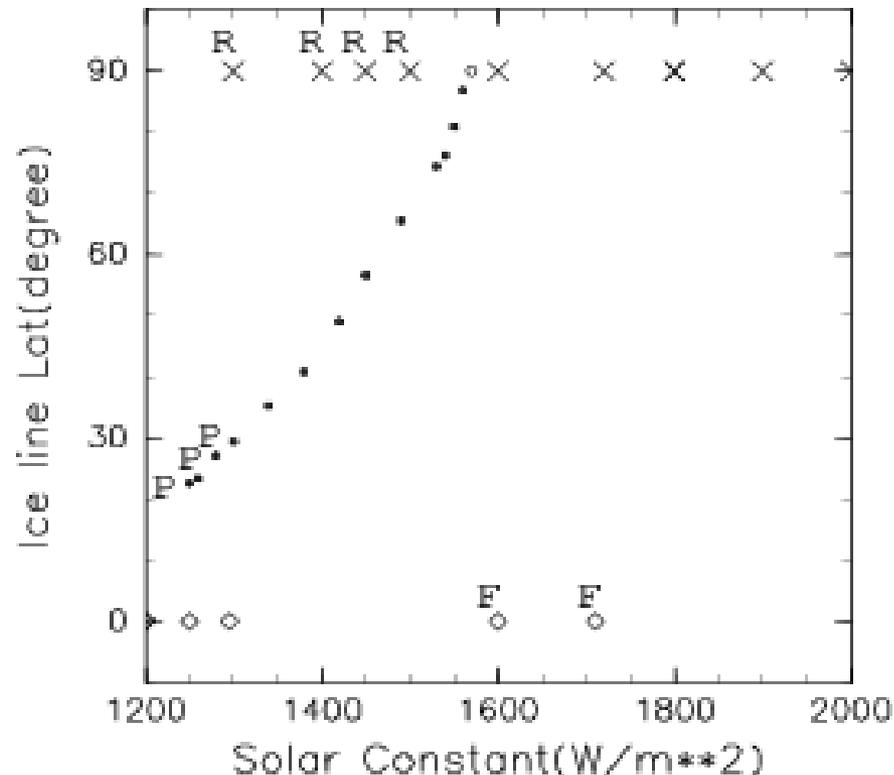


- Branch structure is similar to EBM result
- Ice-free state branch changes because of appearance of the runaway greenhouse state
- Partially ice-covered state with large ice cap cannot be determined uniquely

GCM regime diagram(old version)

- Actually, the regime diagram has been updated from Ishiwatari et al. (2007)
- Some problems including a serious bug were discovered

Old version (Ishiwatari et al., 2007, retracted)



Climate regime diagram obtained by a coupled model

Objective

- Climate regime diagram with considering ocean circulation

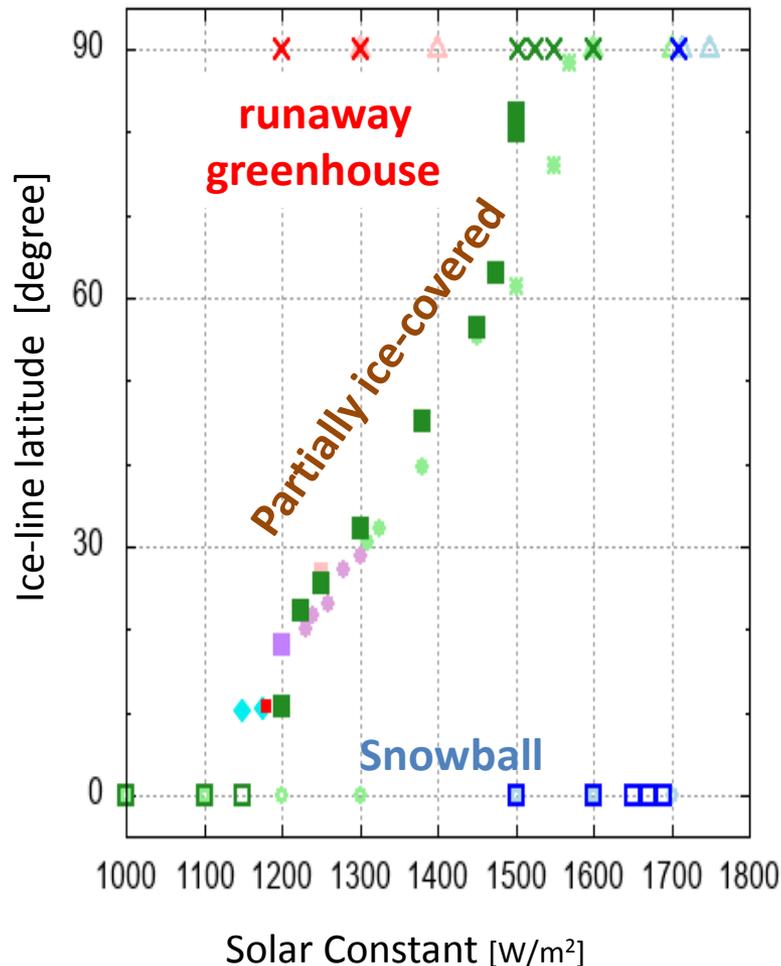
- Rose (2015)

- 3-dim ocean model
- Water belt state is found

- What is climate regime diagram for atmosphere-ocean system with Nakajima et al. (1992)'s grey radiation?

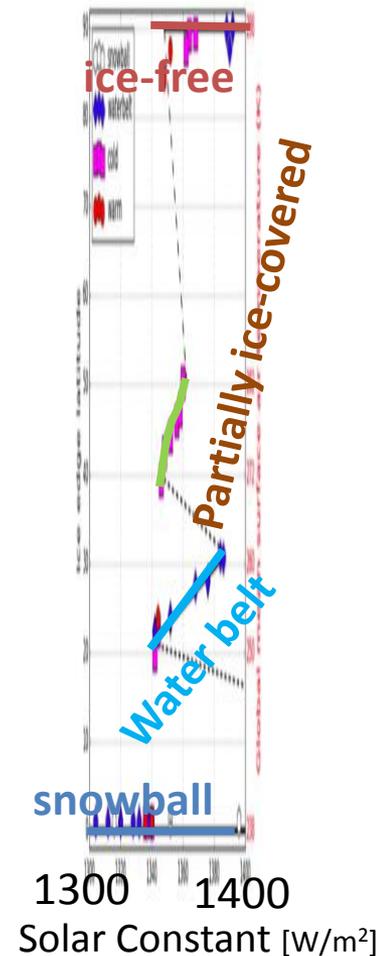
Ishiwatari et al. (2021)

- grey radiation
- Swamp ocean



Rose (2015)

- 4-band rad.
- 3-dim ocean model



Atmosphere-ocean coupled model

- **AGCM : DCPAM**

(<https://www.gfd-dennou.org/library/dcpam/>)

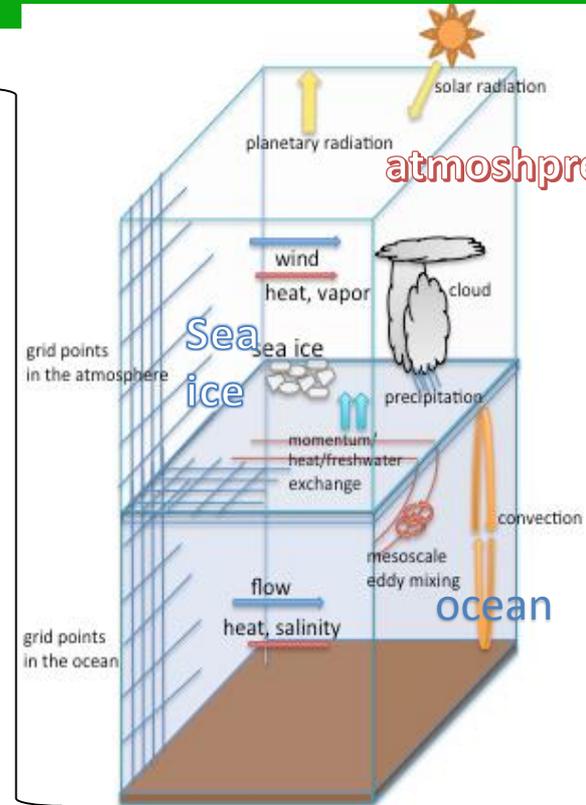
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- **Ocean circulation model**

- Dynamical process : axisymmetric hydrostatic Boussinesq equations
- Turbulent mixing : Redi (1982), Gent and McWilliams (1990), Marotzke (1991)
- Resolution : horizontal 3 degree, vertical 60 levels

- **Sea ice model**

- Thermodynamical process : 3-layer model (Winton, 2000)
- Horizontal transport: diffusion type
- Resolution : horizontal 3 degree



- Coupler

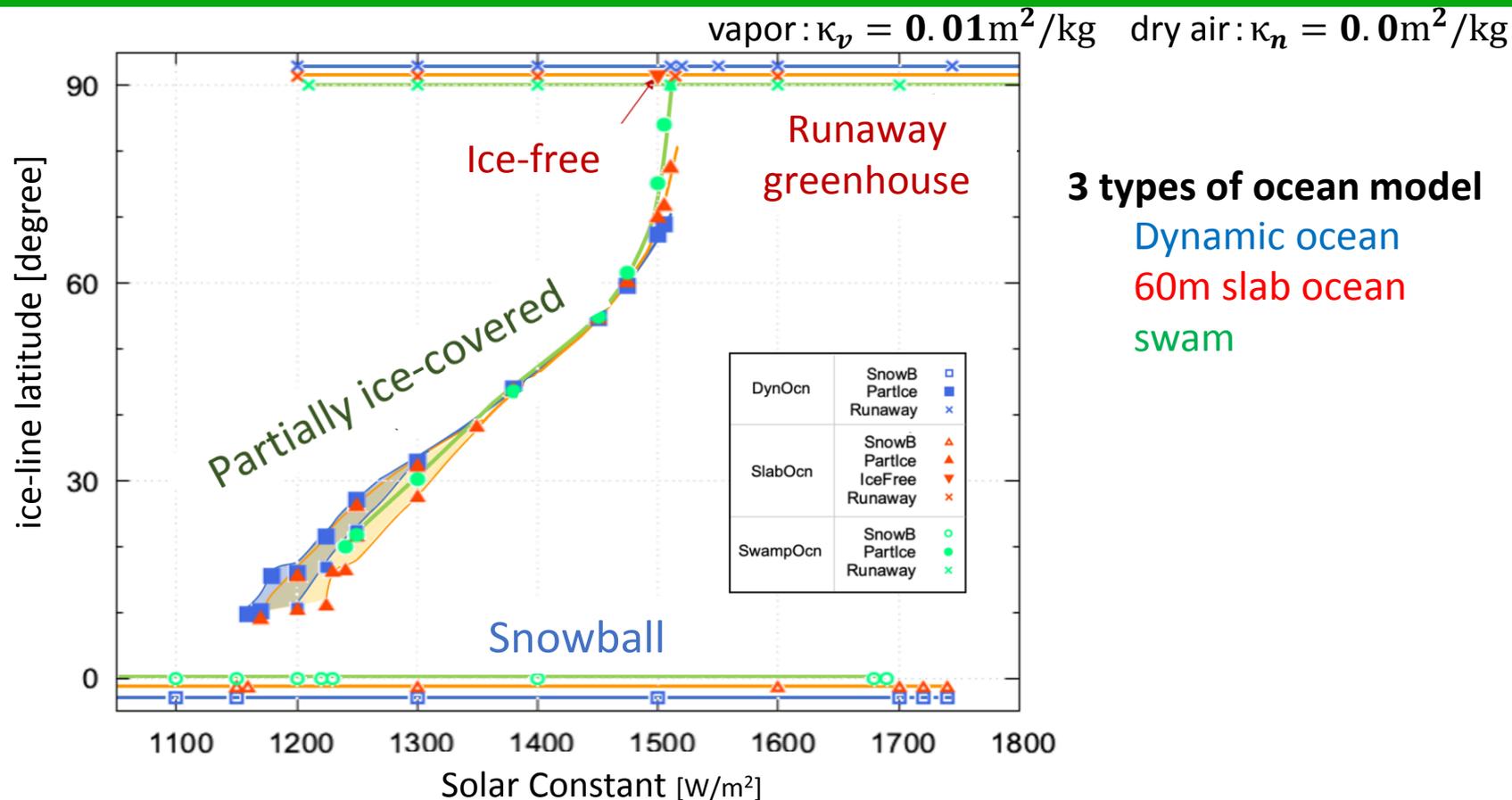
- Data exchange between models: Jcup (Arakawa et al., 2011)

Using Periodically synchronous coupling (Sausen and Voss, 1996), coupled system is integrated for 30 thousand years

Experiment configuration

- **Solar constant: 1000~1750 W/m²**
- **Atmospheric absorption coefficient**
 - Case with same configuration as Ishiwatari et al. (2021) :
water vapor : $\kappa_v = 0.01\text{m}^2/\text{kg}$ dry air : $\kappa_n = 0.0\text{m}^2/\text{kg}$
 - Case with large absorption coefficient
water vapor : $\kappa_v = 0.1\text{m}^2/\text{kg}$ dry air : $\kappa_n = 10^{-5}\text{m}^2/\text{kg}$
(Based on Byrne and O' Gorman (2013), Vallis et al. (2018))
- **Ocean model**
 - Dynamic ocean, 60m slab ocean, Swamp ocean
- **Planetary parameters (Planetary radius, gravitational acceleration, ...): Same values with Earth's**
- **No seasonal change, no diurnal change**
- **Surface albedo**
 - 0.5 (Ts below 263K), 0 (otherwise)
 - Calculated with considering sea ice concentration
- **Initial condition**
 - Basically, isothermal state (280 K)
 - Calculated runaway greenhouse states, snowball states, partially ice-covered state

Regime diagram for case with Ishiwatari et al. (2021) configuration



- Multiple kinds of solutions are obtained regardless of ocean model
 - Runaway greenhouse state, Snowball state, Partially ice-covered state (Water belt state does not appear)
- Branch structures are almost independent of ocean model

Reason for independence of branch structures on ocean model

- Meridionally 1-dim EBM (Sellers-type) with ocean heat transport

$$0 = \boxed{Q(1 - \alpha(x, x_s))S(x)} - \boxed{(A + BT)} + \boxed{D \frac{\partial}{\partial x} (1 - x^2) \frac{\partial T}{\partial x}} + \boxed{F_o(x)}$$

Solar radiation

Infrared radiation

Atmospheric heat transport

Ocean heat flux

(x : sine-latitude, T : Temperature, Q : (Solar constant)/4, α : Albedo, $S(x)=1+s_2 P_2(x)$)

$$F_o(x) = -\frac{1}{2\pi R^2} \frac{\partial H_o}{\partial x},$$

$$H_o(x) = \Psi_o x(1 - x^2)^N$$

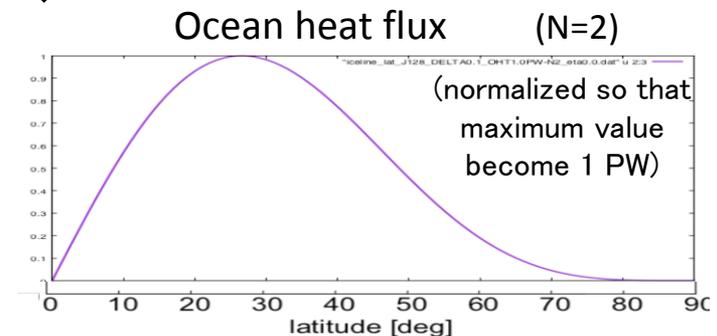
- Experiment setup

- D/B (heat transport coefficient/coefficient in infrared radiation)

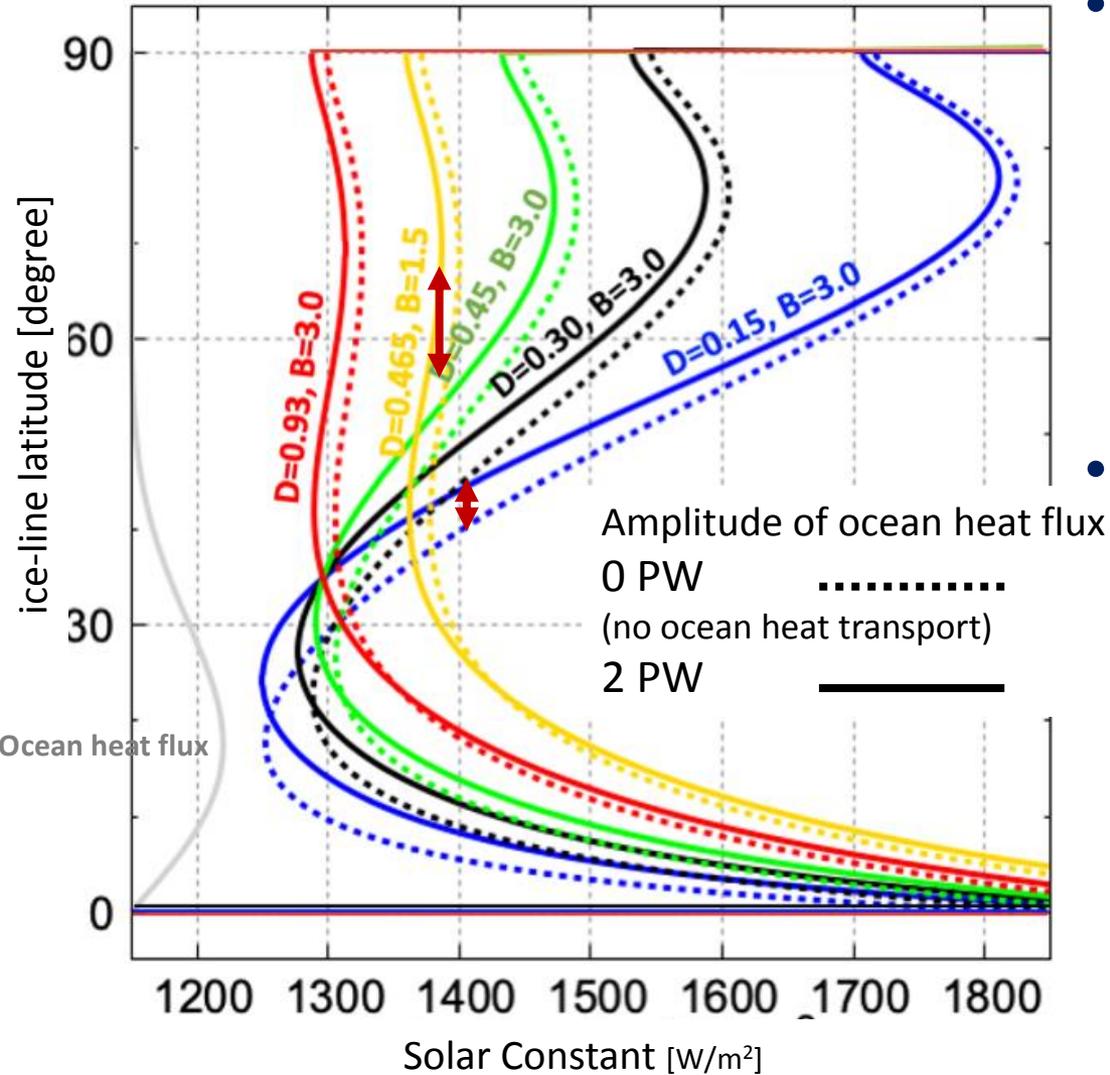
- 0.1 (corresponds to Ishiwatari et al., 2021)
- 0.3 (North, 1975)

- Ocean heat flux is specified

- Determined with the result obtained by coupled-model
- Latitude dependence : $N=2$
- Amplitude : 1 [PW] (from result of dynamic ocean model)



Result of EBM



- Parameter exp. By EBM

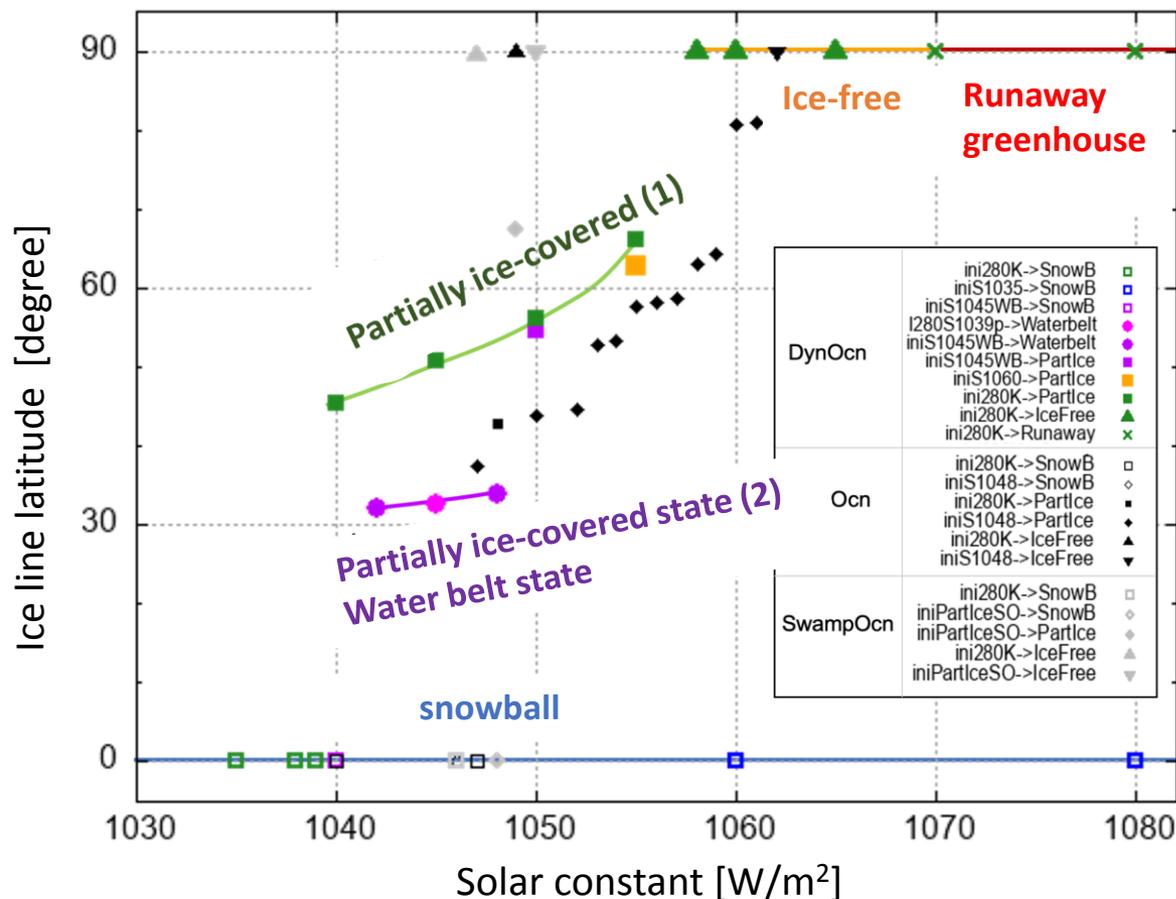
D ~ heat transport coefficient
 B ~ coefficient in infrared radiation
 is small,

change of ice-line latitude
 is smaller for cases with
 ocean heat transport

- The reason why branch
 shape is almost
 independent of ocean
 model is that the effect of
 atmospheric heat
 transport is weak than
 cooling effect by infrared
 radiation

Climate regime diagram with large absorption coefficient

Absorption coefficient: for vapor, $\kappa_v = 0.1 \text{ m}^2/\text{kg}$ for dry air, $\kappa_n = 10^{-5} \text{ m}^2/\text{kg}$



- Five kinds of solutions
 - Ice-free state
 - Two kinds of partially ice-covered state
 - Runaway greenhouse state
- Coexistence of two kinds of partially ice-covered states and snowball state for the same value of solar constant
- Solar constant range for existence of partially ice-covered state becomes narrower

Summary

- **Climate regime diagram is obtained by atmosphere-ocean coupled model with grey radiation**
- **Cases with small absorption coefficient**
 - Solar constant dependence of branch structures is almost independent of ocean model
 - One kind of partially ice-covered state
- **Cases with large absorption coefficient**
 - Branch structures are changes according to ocean model
 - When ocean heat transport exist,
 - Solar constant range for existence of partially ice-covered states becomes narrower
 - Another kind of partially ice-covered state appears: water belt state