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# modeling small scale processes in the ocean Lagrangian frazil ice simulation using a Particle-in-Cell type ocean model

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## Introduction

#### Sea ice cover controls atmosphere-ocean heat exchange

Solid Ice cover has very low thermal conductivity (insulating effect)  $\rightarrow$  Reduce upward heat flux  $\rightarrow$  Restrict new ice formation

However, the state of newly formed sea ice highly depends on the condition of the ocean surface.



Turbulent sea surface condition forms **grease ice**, **mixture of sea ice and small frazil crystals**, which has less insulate effect because seawater is directly exposed to the cold atmosphere even after freezing begins.

#### Introduction

#### Sea ice cover controls atmosphere-ocean heat exchange



Sea ice models widely used in OGCMs/CGCMs can not explicitly deal with such difference of the sea ice state, Uncertainty in air-sea heat flux estimation, particularly in the period of active new ice formation

# Frazil crystals in supercooled seawater

Surface heat loss  $\rightarrow$  ocean surface is supercooled (~0.01K)

 $\rightarrow$  fine frazil crystals precipitated  $\rightarrow$  accumulate near the surface

if strong wind: grease ice (granular ice)

otherwise:

- Drucker and Martine (2003): Direct observation of supercooling and frazil at 20m depth by upward sonar
- Smedsrud (2001)

Laboratory experiments, Frazil crystals of up to 2cm diameter

- Ushio and Wakatsuchi (1993): Laboratory experiments, Visualize Frazil crystal, 0.2K supercooling.
- Bauer and Martine (1983):

Laboratory experiments, consolidation and transformation to grease ice.



Smedsrud (2001)

# **Goal of the present study**

- Sea ice component in GCMs does not explicitly deal with grease ice
   → large uncertainty in the period of new ice formation
- Previous modeling studies of frazil ice only deal with grid-averaged quantity, assume constant crystal size
- Explicit simulation of frazil generation and their transition to grease ice has not been performed yet.
- Develop a new modeling framework for ice-ocean coupled system which deal with dynamic and thermodynamic effects of underwater frazil ice by using online Lagrangian particle tracking
- Perform an Idealized experiment of active ice formation at polynyas in the coldest periods.

 $\rightarrow$  Quantitatively estimate the effect of frazil ice/grease ice on the atmosphere-ocean heat exchange and net sea ice production.

## "On-line" Lagrangian Particle tracking

- Trace the location and properties (mass, rise/fall velocity etc.) of each particle (dispersive phase) simultaneously with the ocean model (continuous phase), Particle-in-Cell (PIC) type simulation
- Each particle has unique ID and we can trace their history.
  - $\rightarrow$  Particles can dynamically and thermodynamically

affects on the ocean state, i.e., dispersed multi-phase flow



We developed a numerically efficient particle tracking system built-in a 3D non-hydrostatic ocean model

#### **Dynamic coupling of ocean flow and dispersed particles**

- Each particles subject to gravity (body force) and pressure-gradient (surface force)
- Buoyancy: difference between gravity and the hydrostatic pressure gradient

$$b = -mg + \rho \downarrow 0 \ \delta g = -m\rho \downarrow s - \rho \downarrow 0 \ /\rho \downarrow s \ g$$

 Residual of pressure gradient: the form drug *f*≈−*S*ρ↓0 *C*↓*D* /*v*−*U*/(*v*−*U*) Cd: depends on the shape and ori



Cd: depends on the shape and orientation, UNKONWN

- Water phase feels sum of the reaction of drug force acts on each particle
   The question is, how to estimate f (or Cd)?
- We assume all particles are in equilibrium state with terminal fall/rise velocity relative to the ocean flow s.t. buoyancy and drug-force is balanced, f=-b (valid if particles are so small that inertia can be ignored)

$$\begin{array}{l} \rightarrow dw/dt = -g - 1/\rho \downarrow 0 \ \partial p/\partial z - 1/\rho \downarrow 0 \ \sum i \uparrow f \downarrow i \\ = -g - 1/\rho \downarrow 0 \ \partial p/\partial z - 1/\rho \downarrow 0 \ \Delta V \sum i \uparrow m \downarrow i \ \rho \downarrow s - \rho \downarrow 0 \ /\rho \downarrow s \\ g = -\rho \uparrow * \ /\rho \downarrow 0 \ g - 1/\rho \downarrow 0 \ \partial p/\partial z \end{array}$$

Dynamic effects of suspended particles yields the change of effective water density  $\rho^*$ 

# **Modeled frazil particles**

- The actual number of frazil crystals in the real ocean is countless, impossible to simulate all of them
  - Modeled particle as a cluster/packet of many frazil crystals
  - Total ice mass and average size of crystals are simulated for each particles.



#### Thermodynamics

- Generate frazil particles of the minimum mass when the prognostic insitu temperature falls below the local freezing point (sustainable in-situ supercooling state is not allowed)
- Each particle thermodynamically grows/decays depending on the insitu temperature **relative to the local freezing point** *Tf(S, p)*
- The rate of heat exchange depends on the mean crystal size *d/dt M*Jfrazil = (*T*Jfreeze – *T*Jinsitu )*C*Jp ρ/L γ2MJfrazil /r ρJice





 $dT/dt = L/C\downarrow p \rho \downarrow 0 \Delta V \Sigma cell \uparrow d/dt M\downarrow$ 

Latent heat absorption/emission

**Brine rejection/fresh water supply**  $dS/dt = S \downarrow 0 - S \downarrow i / \rho \downarrow 0 \Delta V \sum cell \uparrow d/dt$ 

#### **Buoyant rise velocity**

- Inertia of frazil crystal are ignored, i.e., all crystals are in equilibrium with terminal buoyant rise velocity
- In the present model individual crystal is not simulated, just parameterized by using total ice mass of each cluster.

 $w \downarrow rise = w \downarrow 0 M \downarrow frazil / M \downarrow 0$ , where  $w_0 = 1 \text{mm/s}$ (from Omstedt and Svensson, 1984)



less buoyant force → advected by convection Large particles:



greater buoyant force  $\rightarrow$  float up to the surface

#### **Turbulent mixing by wind stirring**

- Net vertical transport of frazil particles is realized by Linear interpolation of the predicted ocean current
  - + buoyant rise velocity  $w_{rise}$
  - + Subgrid-scale turbulent eddy transport  $w_{eddy}$
- Downward frazil transport increase potential energy, require energy source: Surface wind stress forcing → SGS EKE (or TKE)

 $\epsilon = 2\nu S \downarrow i j S \downarrow i j, S \downarrow i j = 1/2 \left( \partial u \downarrow j / \partial x \downarrow i + \partial u \downarrow i / \partial x \downarrow j \right)$ 

• The ratio of energy dissipation used to the turbulent eddy transport "Critical Flux Richardson Number":  $R\downarrow f = \Sigma \uparrow mg \uparrow w / \Delta V \rho \downarrow 0 \epsilon \approx 0.15$ 



efficiency of TKE  $\rightarrow$  PE conversion (from Osborn 1980)

Strong surface wind forcing → downward turbulent

transport

## **Enhanced viscosity of slurry**

- Grease ice: viscous mixture of frazil crystals and sea water
  - dynamical effects is represented by enhanced viscosity as a function of solid mass fraction

 $\nu \uparrow * = \nu \downarrow e d d y + \nu \downarrow mol$ ,

- Sub-grid turbulence model: Smagorinsky-type LES,  $\nu \downarrow eddy = (C \downarrow smag \Delta) \hat{1} 2 |S|$
- Molecular viscosity is enhanced as a function of solid mass fraction of ice  $\nu lmol = (1+2.5\phi+10.5\phi l^2 + 2.73 \times 10l - 3)$  $ell 6.6\phi \times 10l - 6 m^2/s$

where solid volume fraction

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Large crystals tend to float up to the surface  $\rightarrow$  viscous grease ice

 $\rho lice \mathcal{B} V$ 

#### Insulating effect of surface ice cover

- Increased solid mass fraction at the surface results in insulating effect
- Net heat flux is parameterized by the effective ice thickness:

 $Q = -\gamma \downarrow T \kappa \downarrow \text{ice } /\gamma \downarrow T h \downarrow \text{ice } \uparrow \ast + \kappa \downarrow \text{ice } (T \downarrow \text{air} - T \downarrow \text{surface }),$ 

where effective ice thickness  $h \downarrow ice \uparrow * \stackrel{\text{def}}{=} \int z \uparrow = \exp(-z/\delta)$ razil dz / plice AS Less heat flux Haney type heat relaxation coefficient (40 W m<sup>2</sup> K<sup>-1</sup>) Grease ice layer ~O(10 cm) Active thermal convection Frazil generation

## A simple idealized experiment

- Ocean component: kinaco (nonhydrostatic, Matsumura and Hasumi, 2008)
   + Lagrangian frazil ice component (developed in the present study)
- Domain: 64m x 64m x 64m, horizontally periodic boundaries.
- Resolution: 1m x 1m x 1m
- Subgrid-model: Smagorinsky-type shear-dependent LES + molecular viscosity enhancement as a function of solid volume fraction
- Initial condition:  $\Theta = -1.6^{\circ}C$ , S = 30psu uniform
- Air temperature:  $-20^{\circ}C$  (Up to  $\sim 730 \text{ W/m}^2$  heat flux at the open water)
- Wind forcing: *U* = **10** m/s constant
- Integration for 5 days



#### Results

#### Frazil distribution (log scale, blue 10<sup>-2</sup> kg/m<sup>3</sup> -- red 10<sup>2</sup> kg/m<sup>3</sup>)



# **Vertical profiles**



## Surface heat flux and net ice production rate

Compare with the "O-layer" solid ice thermodynamics



Newly developed Lagrangian frazil ice model keeps open water (high heat flux > 500W/m2) relatively longer periods than 0-layer solid ice 41% greater total heat loss and 34% greater total ice production in the initial 24 hours both cases become almost equal after the surface is entirely covered

# Idealized coastal polynya experiment $\rightarrow$ wind (10m/s)

Day 1 00:05



#### Developing polynya experiment: (by Kazuki Nakata, Ph.D. thesis)



Satellite image active polynya (day with 15 m/s offshore wind, air temperature -17°C)





28 kg

Modeled streaks are almost identical to the satellite image

#### Effective thermal ice thickness in the active frazil polynya Thermal ice thickness $\propto$ (net air-sea heat flux)<sup>-1</sup>



A. Solid: Equivalent ice thickness corresponds to total ice mass (incl. under water frazil)B. Dotted: y-averaged effective ice thickness (weighted integ. of ice mass near the surface)C. Dashed: simulated thermal ice thickness calculated from net heat loss in the model

A-B: Effect of downward turbulent transport of frazil B-C: Effect of streak-structure formation

Both **turbulent transport (initial stage/near shore)** and **streak-structure (later stage/near ice edge)** contribute to the higher net ice production in the active polynya under strong wind

The simulated thermal thickness (< 5 cm) is quantitatively consistent with satellite (MODIS) brightness temperature in the active polynya

## **Sediments in Sea ice**

- Sea ice (sometimes) contains a lot of small grain sediments
  - ✓ Surface albedo decline, can enhance melting.
  - Transport of trace elements, important on ocean bio-geochemistry.
- Possible origins of sediments in sea ice:
  - ✓ Dust from continents (fallen with snows).



Suspended from ocean floor and entrained (Nurnberg et al., 1994)







## A simple idealized experiment

- Ocean component: kinaco (nonhydrostatic, Matsumura and Hasumi, 2008)
   + Lagrangian frazil ice component (developed in the present study)
- Domain: 64m x 32m x 40m, horizontally periodic boundaries.
- Resolution: 1m x 1m x 1m
- Subgrid-model: Smagorinsky-type LES, C is reduced at z < 10m
- Initial condition:  $\Theta = -1.6^{\circ}C$ , S = 30psu uniform
- Air temperature:  $-20^{\circ}C$  (Up to  $\sim 730 \text{ W/m}^2$  heat flux at the open water)
- Wind forcing: **5 m/s**
- Initial ocean current: 0.2 m/s



#### Results

#### L) Frazil distribution (log scale, blue 10<sup>-2</sup> kg/m<sup>3</sup> -- red 10<sup>2</sup> kg/m<sup>3</sup>) R) Sediment distribution





Suspension of sediments >  $20\mu m$  is rare, consistent with observation

#### **Summary**

- A new modeling framework of frazil ice/grease ice by using online Lagrangian particle tracking is developed
- Modeled Lagrangian particle is treated as a cluster of many crystals
- Simulate thermodynamic grows of each particles
- Parameterize buoyant rise velocity, turbulent diffusion, enhanced molecular viscosity, insulating effects etc.
- Successfully simulate the behavior of underwater frazil ice and their transition to the surface grease ice cover
  - ✓ Vertical motion of underwater frazil ice induce latent heat transport
  - Potential supercooling is realized due to the freezing point decline with depth
  - ✓ Frazil ice model retains open water relatively longer periods and hence net heat loss is increased compared with solid ice model (~30% greater ice production in the initial 24h)
- Large domain polynya experiments represents streak-like structure of grease ice
- Sediment entrainment is a key topic of the future works

## **Future works**

- More precise treatment of crystal size spectrum:
  - ✓ Very sensitive to the grows/melt rate and rise velocity
  - $\checkmark$  Should be investigated by direct observation.
- In-situ supercooling state:
  - ✓ Relaxed in a single time step (1sec.) in the present model.
  - ✓ Up to O(10) mK supercooling is observed in reality.
  - ✓ What is seeding nuclei? How many?
- Consolidation:
  - ✓ Transit to solid ice (columnar grows) when frazil volume fraction in the grease ice layere becomes sufficiently high (~30%).
  - ✓ Essential to the polynya opening/closing and refreezing of leads.



- Coupled with wave dynamics model
  - ✓ Simulate pancake ice formation
  - Frazil streaks induced by Langmuir circulation