

Steady dust concentration and planetesimal formation

at the super/sub-Keplerian flow boundary created by non-uniform growth of MRI

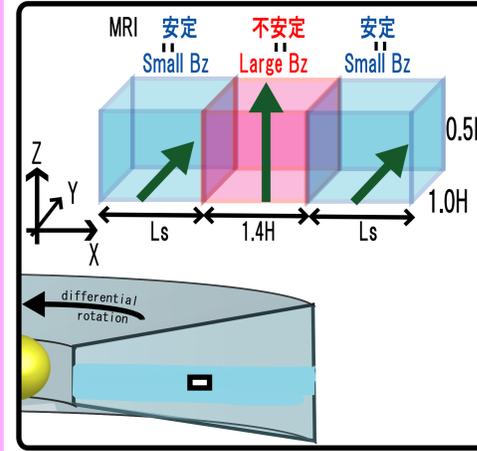
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1. Abstract

We study how the planetesimals are formed from tiny dust particles in a proto-planetary disk before the dust particles in-fall to the central star. In our previous work (Kato et al. 2009) we have shown that a steady angular velocity profile that consists of a super-Keplerian and a sub-Keplerian part to appear through nonuniform excitation of Magneto-Rotational Instability (MRI). Then, we study if this radial structure of the angular velocity leads to prevention of in-fall and furthermore to accumulation of dust particles, and how the feedback from concentrated dust particles onto gas work on the dust concentration. Treating the dust particles as super-particles, we found that the particles can be stopped in-fall and concentrated around the outer-edge of the super-Keplerian region. In the most favorable cases (larger MRI-stable region and 1m size dust particles), the maximum dust density is around high as 10 times the gas density and the velocity dispersion of the concentrated particles is too small. So, it is highly likely to cause the gravitational instability and this result suggests a possible route to planetesimal formation via non-uniformly excited MRI in a weakly ionized part of a disk.

2. Model

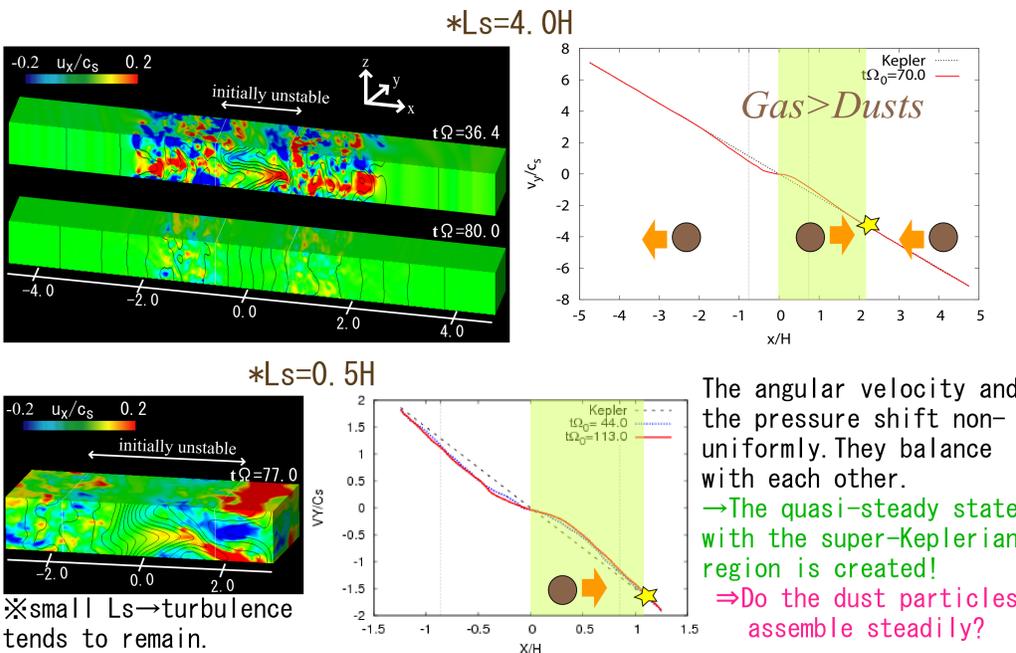
The growth rate of MRI depends on the ionization degree of gas and the strength of the magnetic field (San&Miyama, 1999). In our model, the magnetic resistivity is uniform but the vertical magnetic component is non-uniform in the radial direction. Both the unstable and stable region exist next to each other.



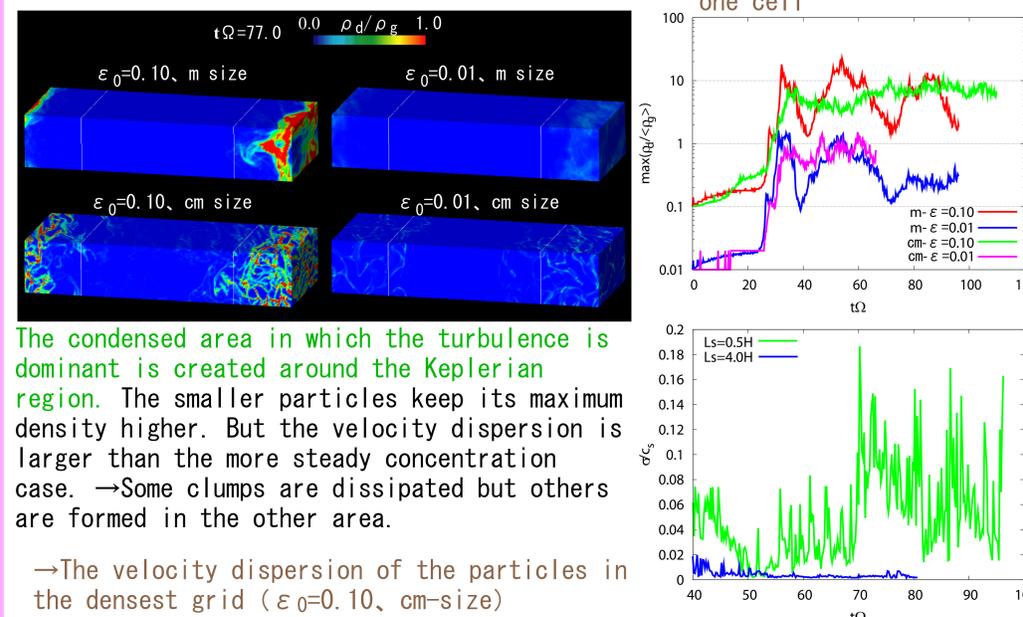
*common setup
angular velocity (dust) $v_y = v_{kep} = -2/3 \cdot \Omega x c_s$
(gas) $u_y = v_{kep} + \frac{1}{2\rho} \frac{\partial P_g}{\partial r}$
global pressure $\frac{1}{\rho} \frac{\partial P_g}{\partial r} = -0.04 c_s \Omega$
The local pressure and the distribution of particles are uniform.
The vertical gravity is ignored.

*parameter
• The radial width of the initial stable region: $L_s = 0.5H, 4.0H$
• The friction time: $\tau_f \Omega = 0.1(\text{cm}), 1.0(\text{m})$
• The initial dust-to-gas density ratio: $\epsilon_0 = 0.01, 0.10$

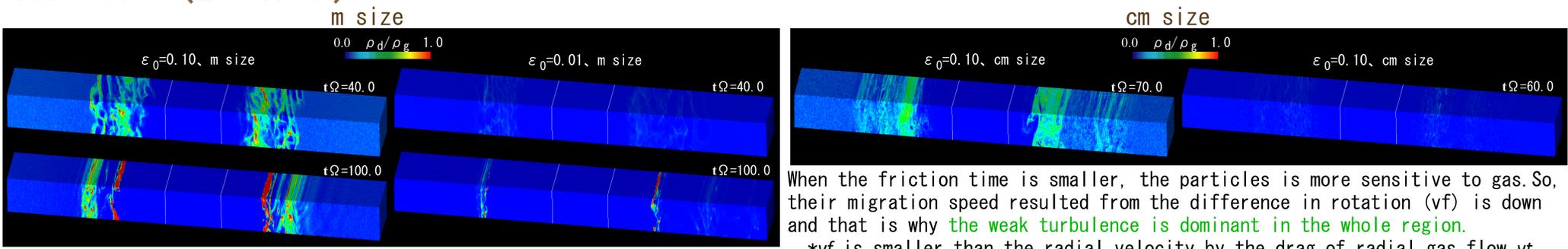
3. The quasi-steady state by MRI



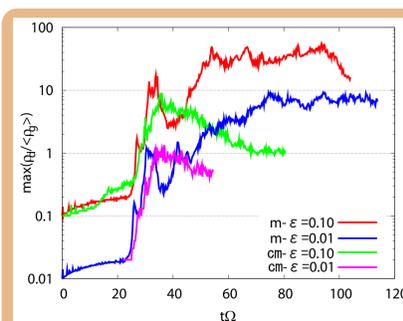
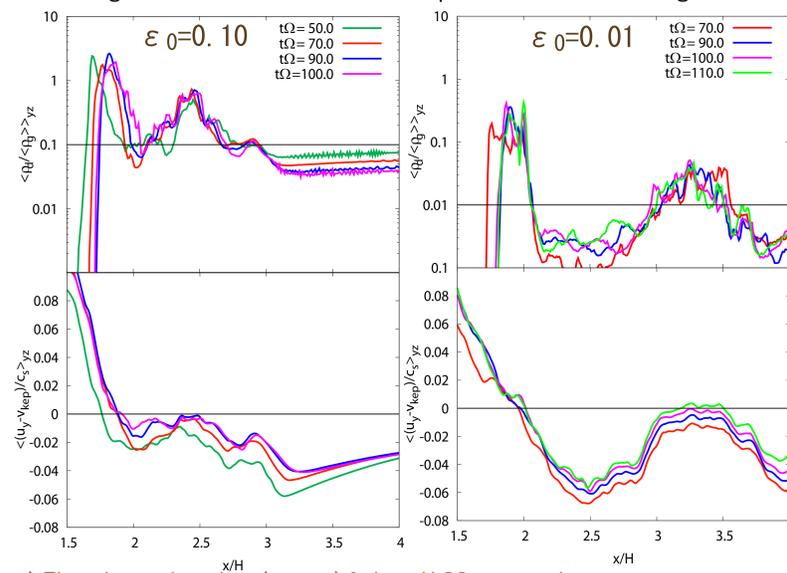
4. Result ($L_s = 0.5H$)



5. Result ($L_s = 4.0H$)



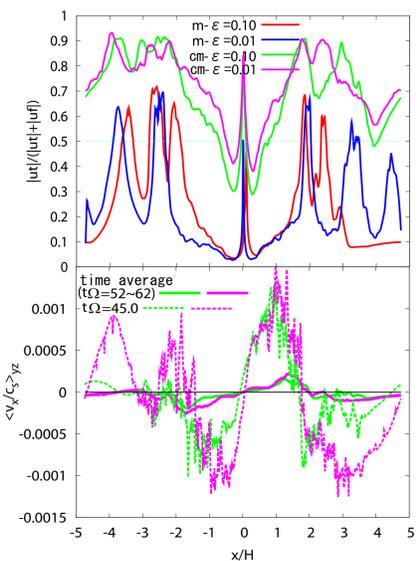
- The density around the Keplerian region becomes higher due to the MRI flow.
- The particles settle down into the Keplerian region steadily.
*The concentrated particles in the outer area of the Keplerian region cause the gas to rotate at v_{kep} .
- The concentrate area extends radially.
→The particle cannot assemble onto the inner densest grid!
*small ϵ_0 → The extending starts at the later stage. The feeding from the outer area is possible for a longer time.



←The time change of the maximum dust density in one cell

m size — The maximum value is saturated because of the extending of the Kepler region.
cm size — The maximum value decrease because of the weak turbulence.
*But the condensed area is created by the MRI flow at the early stage. Is it possible to form larger particles?

*The planetesimal formation
The concentration in the quasi-steady state can
→keep the high density in the particular region.
→let the velocity dispersion keep too small ($< 0.01 c_s$).
⇒It is highly possible to form a planetesimal via gravitational instability, especially in the m-sized case.



6. Future Work

★How do the self-gravity work? ★The sedimentation on the midplane should be calculated at the same time. ★How can the initial condition of our model be generated. ★The time evolution of the magnetic resistivity should be considered when the gas (and dust) density changes.