

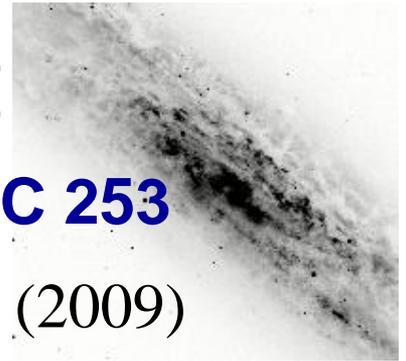
*Shattering and Coagulation of Dust
Grains in Interstellar Turbulence*

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Outline

1. Dynamical Grain-Gas Coupling
2. Interstellar Turbulence
3. Formulation of Shattering and Coagulation
4. In a Cosmological Context

1. Dynamical Grain-Gas Coupling

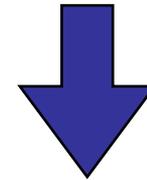


NGC 253

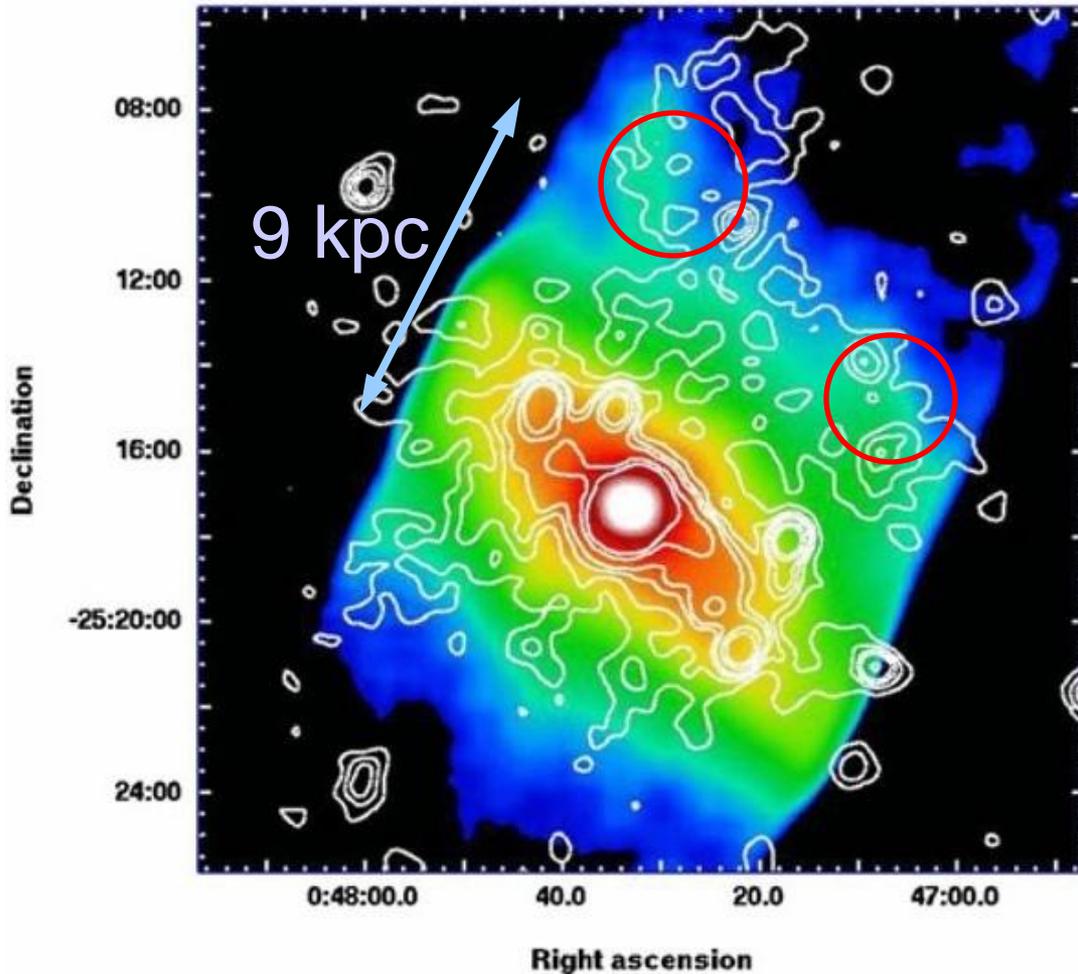
Kaneda et al. (2009)

color: *AKARI* 90 μm
contour: *ROSAT* X-ray

The FIR extension
coincides with the X-
ray structure.

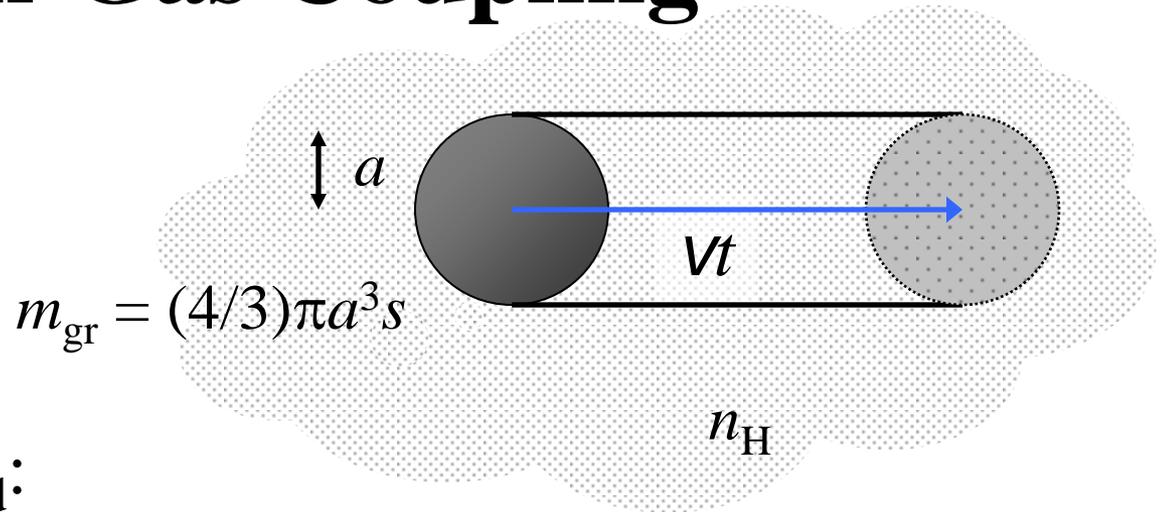


Dust is transported by
gas ejection induced
by stellar activity.



$$V_{\text{escape}} = 280 \text{ km/s}$$
$$9 \text{ kpc} / 280 \text{ km/s} = 30 \text{ Myr}$$

Grain-Gas Coupling



Gas drag timescale t_d :

$$(m_H v)(\pi a^2 v n_H) t_d \sim m_{\text{gr}} v.$$

Grain motion is coupled with the gas motion on a scale l large enough:

$$l \sim vt_d = (4/3)as/(m_H n_H) \sim (10/n_H)(a/0.1 \mu\text{m}) \text{ pc}$$

Large grains tend to be coupled with larger motions.

2. Interstellar Turbulence

ISM is turbulent (often supersonic)
(e.g., McKee & Ostriker 2007).

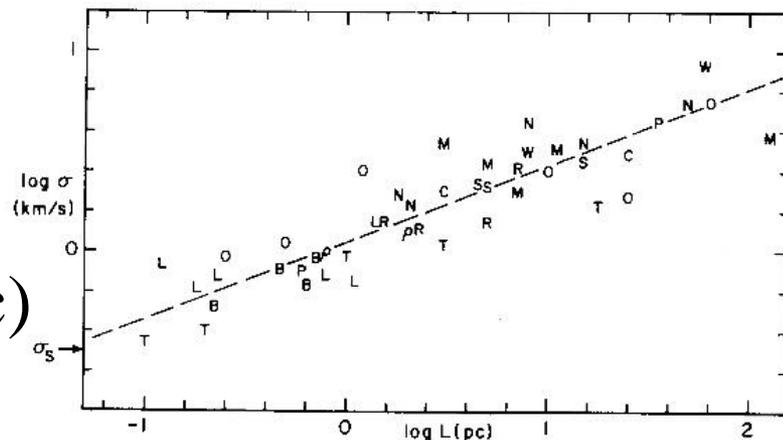
Implication for shattering (disruption):

$c_s \sim 10$ km/s in warm (~ 8000 K) medium

→ above the shattering threshold (\sim a few km/s).

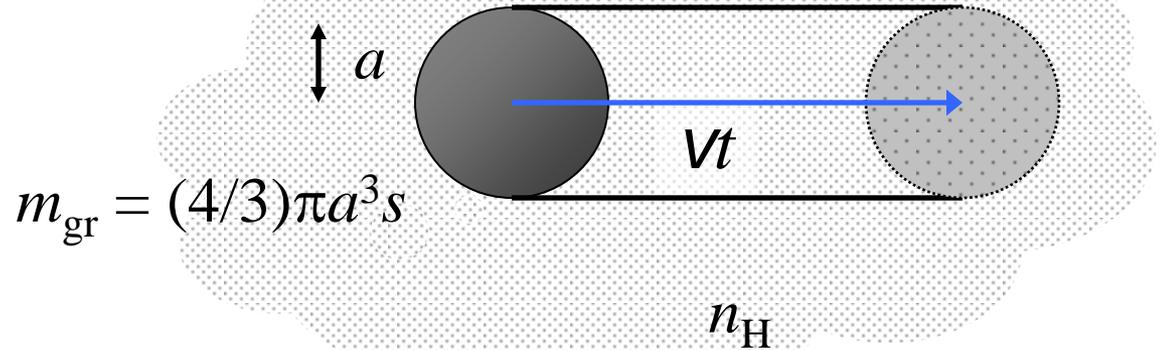
Implication for coagulation (sticking):

$V_{\text{turb}} \gg$ grain thermal speed. → If grain motion is coupled with turbulence, grain-grain collision occurs frequently (e.g., Ossenkopf 1993).



Larson (1981)

Grain-Turbulence Coupling



Grain motion is coupled with the gas motion on a scale l large enough:

$$l \sim vt_d = (4/3)as/(m_H n_H) \sim (10/n_H)(a/0.1 \mu\text{m}) \text{ pc}$$

Large grains tend to be coupled with larger motions.

Kolmogorov turbulence: $v_{\text{turb}} \propto l^{1/3}$

Large grains tend to acquire larger velocities.

Gyroresonance

Magnetic fields ($B^2/8\pi \sim nkT$) + Grain charge

→ MHD wave + gyro-motion of grains

Resonance between wave and gyro-motion

(gyroresonance): $\omega - k_{\parallel} v \cos \theta = n\omega_{\text{gyro}}$

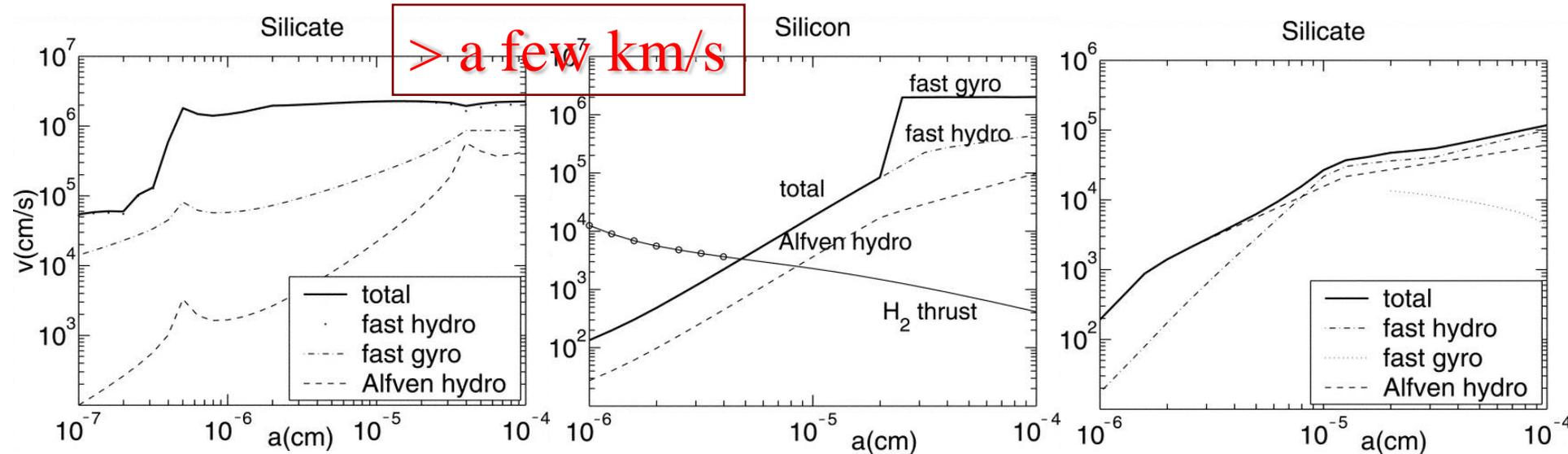
Large grains are further accelerated.

Grain Velocities

MHD turbulence model

Yan, Lazarian, & Draine (2004)

hydro-drag, gyro-resonance



Warm ionized medium

$$T = 8000 \text{ K}$$

$$n_H = 0.1 \text{ cm}^{-3}$$

$$B = 3.4 \text{ } \mu\text{G}$$

Warm neutral medium

$$T = 6000 \text{ K}$$

$$n_H = 0.3 \text{ cm}^{-3}$$

$$B = 5.8 \text{ } \mu\text{G}$$

Dense cloud

$$T = 10 \text{ K}$$

$$n_H = 10^4 \text{ cm}^{-3}$$

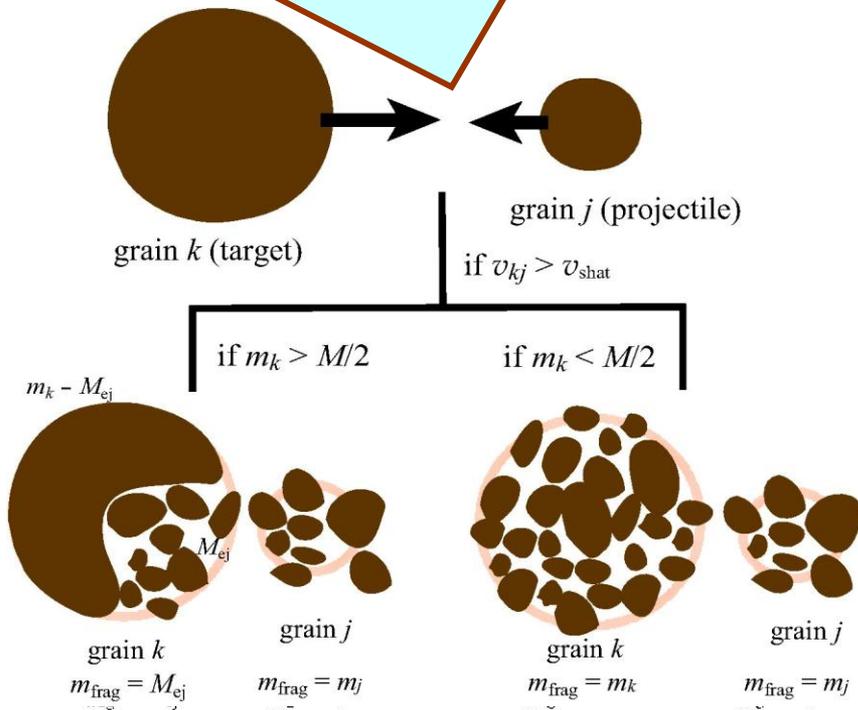
$$B = 80 \text{ } \mu\text{G}$$

Coagulation

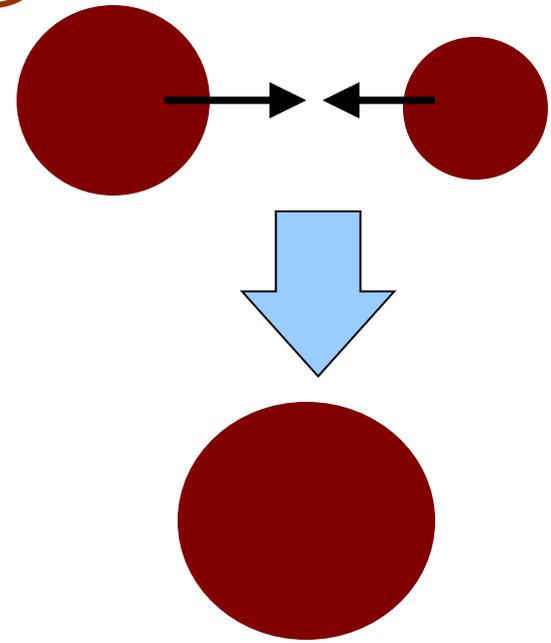
Relative velocities can be excited by interstellar turbulence.

Shattering

Coagulation



Shattering threshold:
2.7 km/s (silicate), 1.2 km/s (graphite)
(Jones et al. 1996)



coagulation rate = grain-grain collision rate
Threshold: $\sim 10^3$ cm/s

Grain Size Distribution and Extinction

Extinction (absorption+scattering)

$$\tau_{\lambda,i} = \int_0^{\infty} \pi a^2 Q_{\lambda}(a) N_{\text{dust}}(a) da$$

a : grain radius ($\llsim 0.1 \mu\text{m}$)

$Q_{\lambda}(a) \sim 1$ for $\lambda \llsim a$

$Q_{\lambda}(a) \ll 1 \propto a$ for $\lambda \gg a$

$$\tau_{\lambda} = \sum_i \tau_{\lambda,i}$$

i : grain species (silicate, graphite)

Grain size distribution $N_{\text{dust}}(a) \propto a^{-3.5}$

with $0.005 \mu\text{m} < a < 0.25 \mu\text{m}$: MRN

What determines the grain size distribution?

- ❑ Source (supernova, AGB stars, etc.)
- ❑ **Shattering and coagulation?**

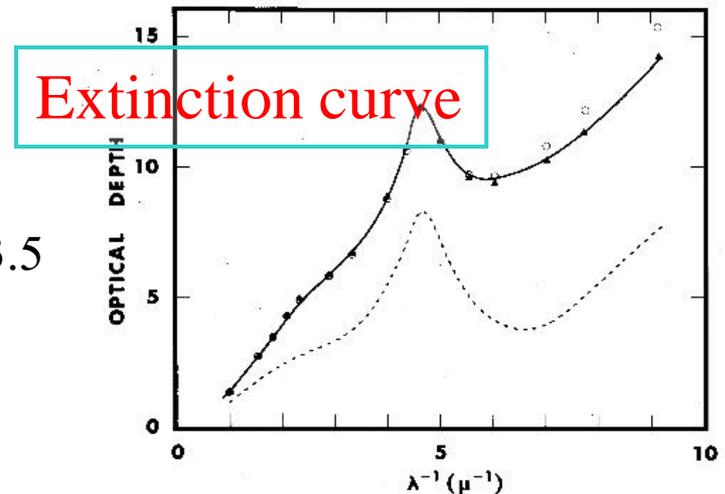


FIG. 4.—Optical depths, for column densities of 10^{22} H atoms cm^{-2} , versus inverse wavelength. *Solid line*: observed by OAO. *Triangles*: the extinction of (C + Ol) mixture of Fig. 2. *Dashed line*: the contribution of graphite to the extinction. *Dots*: a mixture of graphite and olivine, $n(a) \propto a^{-3.6}$, $0.005 \mu\text{m} < a < 0.25 \mu\text{m}$, forced to fit at the maximum of the “bump” at $4.6 \mu\text{m}^{-1}$.

Mathis, Rumpl, &
Nordsieck (1977)

ISM Recycling and Dust

Nuclear reaction

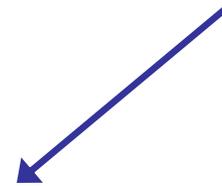


Gas
Metals

Interstellar clouds
by (wave
destruction)



Interstellar
gas



star formation
(astration)

molecular cloud
(dust growth)

Turbulence is ubiquitous. → Grains are processed in turbulence?

QuickTime®
TIFF (LZW) 8x8 32768x32768
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Specific Questions

- A) Evolution of grain size distribution by **shattering and coagulation** under the grain motion induced by *ubiquitous* turbulence.
- B) Do shattering and coagulation have a significant imprint in the **extinction curve**?

3. Formulation

Hirashita & Yan (2009)

Discrete size bins a_0, \dots, a_N

The i -th bin contains grains of $\tilde{\rho}_i$ [g cm⁻³].

Shattering

$$\left[\frac{d\tilde{\rho}_i}{dt} \right]_{\text{shat}} = -m_i \tilde{\rho}_i \sum_{k=1}^N \alpha_{ki} \tilde{\rho}_k + \sum_{j=1}^N \sum_{k=1}^N \alpha_{kj} \tilde{\rho}_k \tilde{\rho}_j m_{\text{shat}}^{kj}(i),$$

$$\alpha_{ki} = \begin{cases} \frac{\sigma_{ki} v_{ki}}{m_i m_k} & \text{if } v_{ki} > v_{\text{shat}}, \\ 0 & \text{otherwise,} \end{cases}$$

distribution of shattered fragments
(power-law)



Coagulation

$$\left[\frac{d\tilde{\rho}_i}{dt} \right]_{\text{coag}} = -m_i \tilde{\rho}_i \sum_{k=1}^N \alpha_{ki} \tilde{\rho}_k + \sum_{j=1}^N \sum_{k=1}^N \alpha_{kj} \tilde{\rho}_k \tilde{\rho}_j m_{\text{coag}}^{kj}(i),$$

$$\alpha_{ki} = \begin{cases} \frac{\sigma_{ki} v_{ki}}{m_i m_k} & \text{if } v_{ki} < v_{\text{coag}}, \\ 0 & \text{otherwise.} \end{cases}$$

$m_k + m_j$



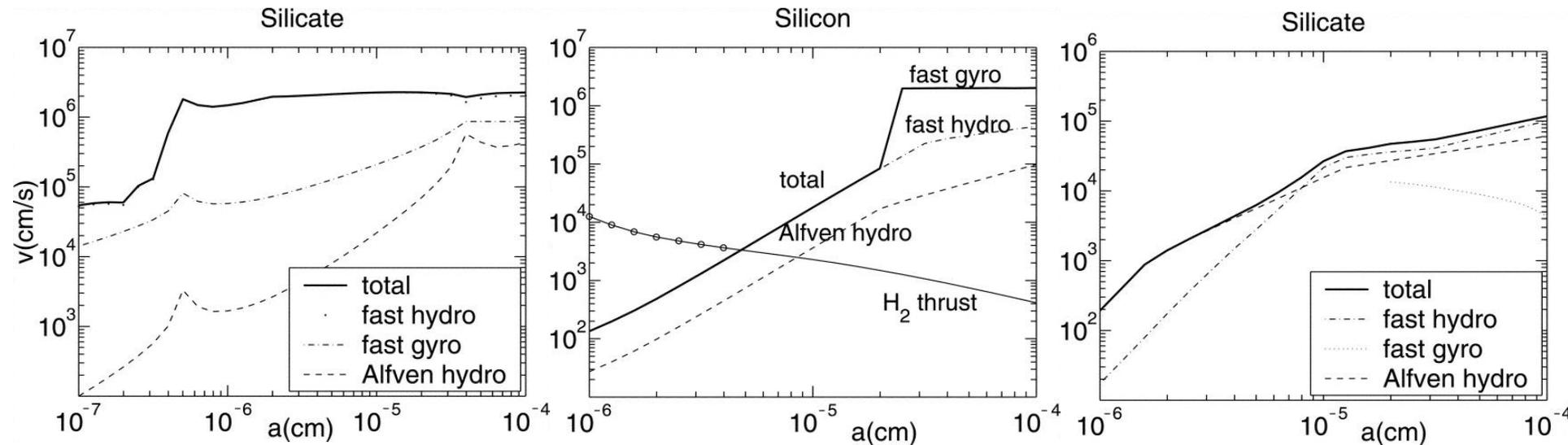
The grain velocities are adopted from Yan et al. (2004) (MHD turbulence).

Grain Velocities

MHD turbulence model

Yan, Lazarian, & Draine (2004)

hydro-drag, gyro-resonance



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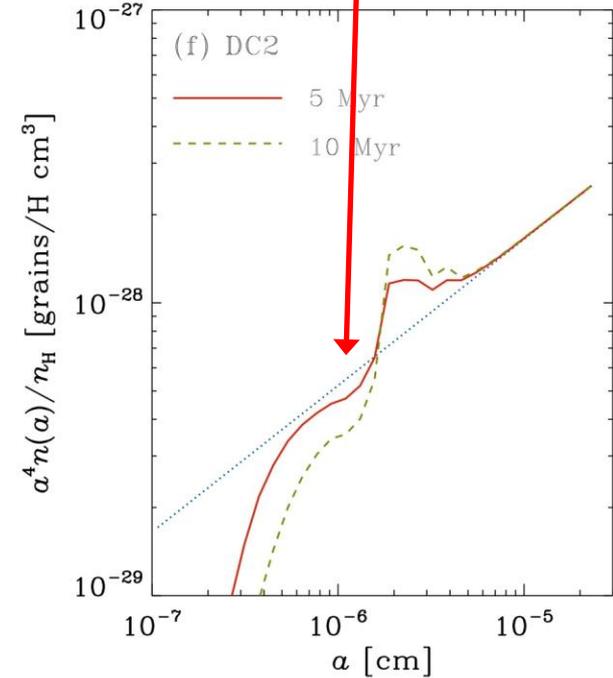
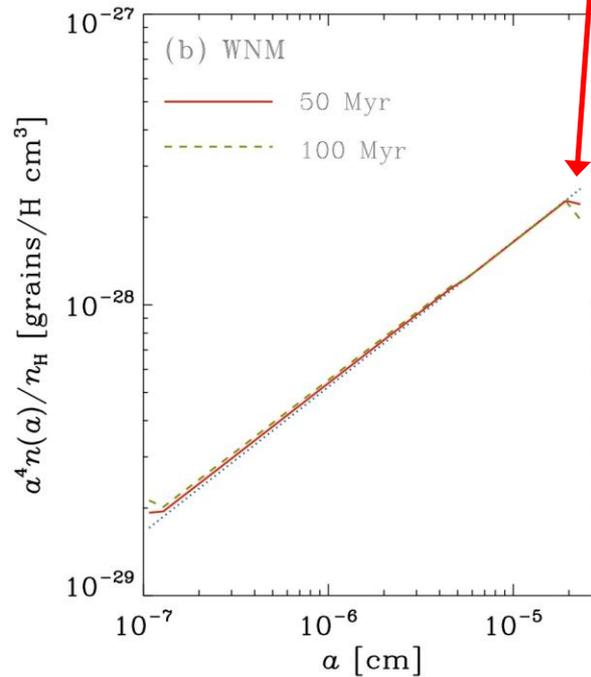
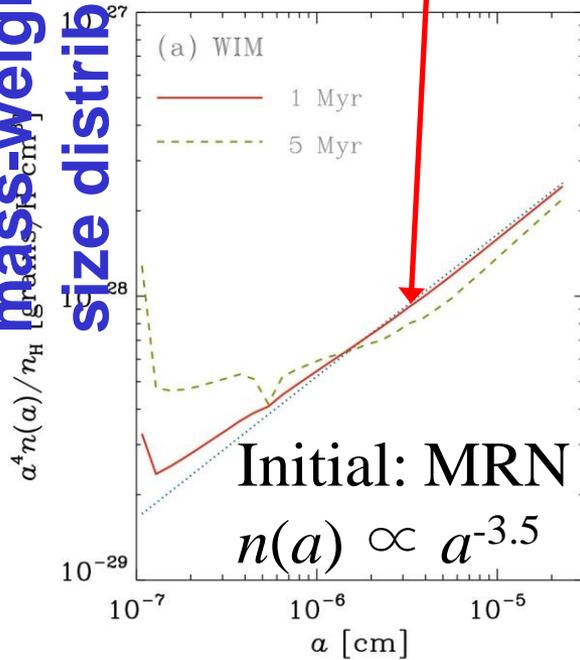
Results

mass-weighted
size distribution

Shattering of large grains
on a short timescale

Upper limit?

Small grains are
strongly depleted.



Warm ionized medium

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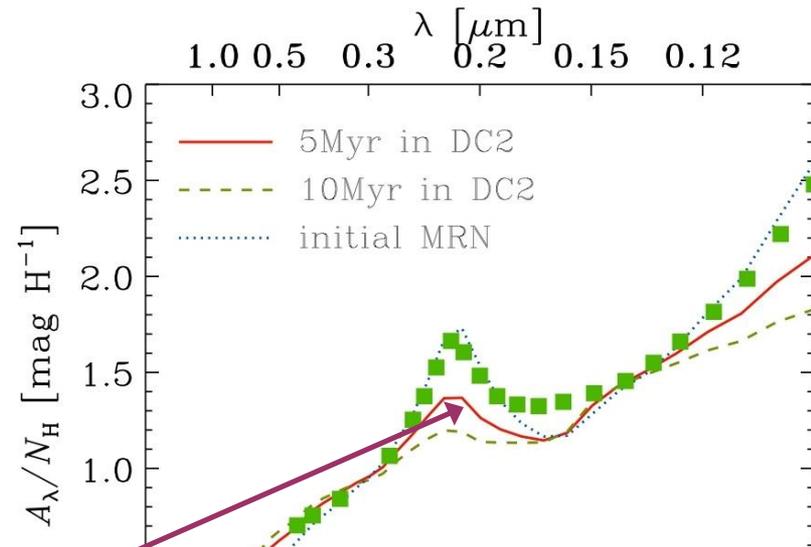
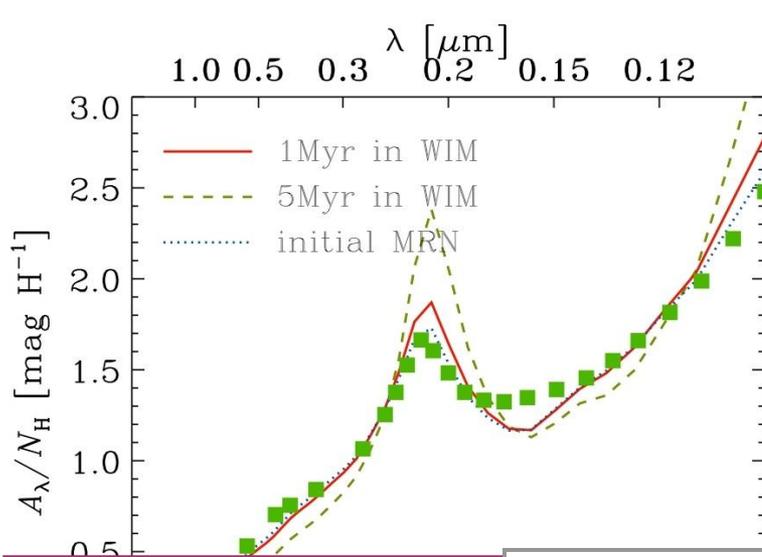
Dense cloud

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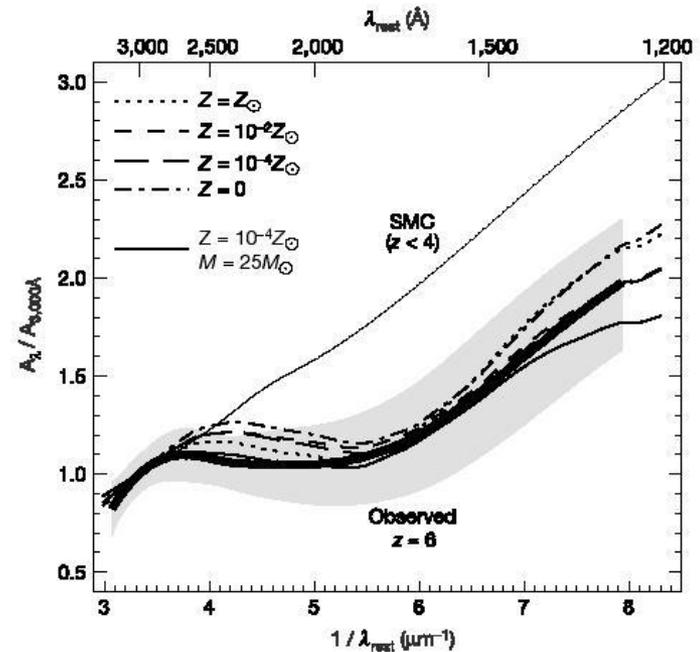
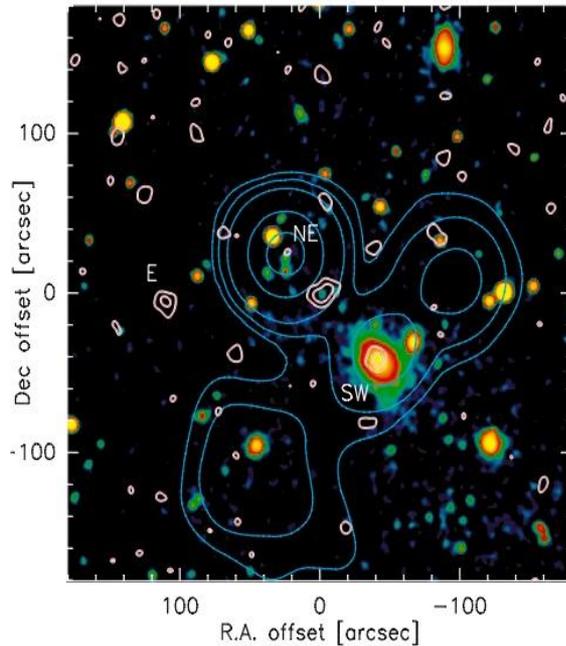
Effects on the Extinction Curves



- (1) The UV slope of the extinction curve is steeper, and the bump strength is higher in the sense.
- (2) The central position of the carbon bump is shifted towards shorter wavelengths.
- (3) Small variation in IR extinction curve.

Shattering and Coagulation in ISM can regulate the grain size distribution (and the extinction curve).

4. In a Cosmological Context

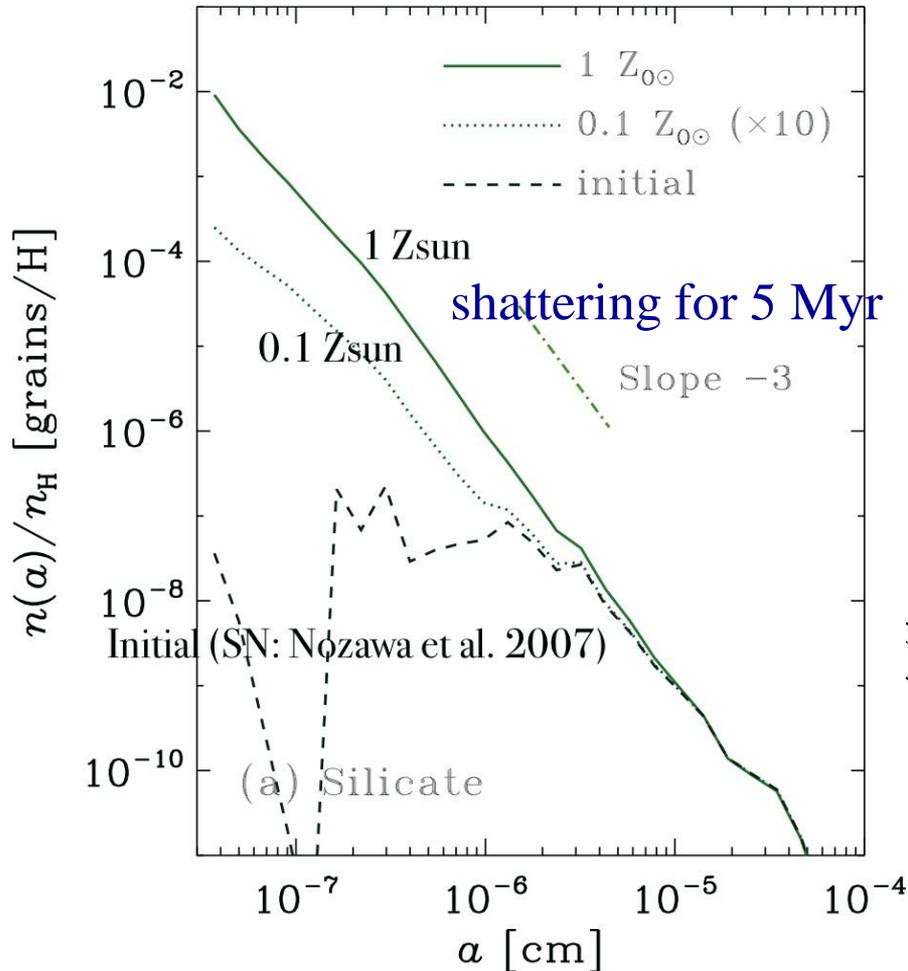


Dust already existed at $z \sim 6$ (Bertoldi et al. 2003).

Extinction curve at $z \sim 6$
Maiolino et al. (2004)

Suggesting a rapid dust enrichment by supernovae

Shattering of SN Dust

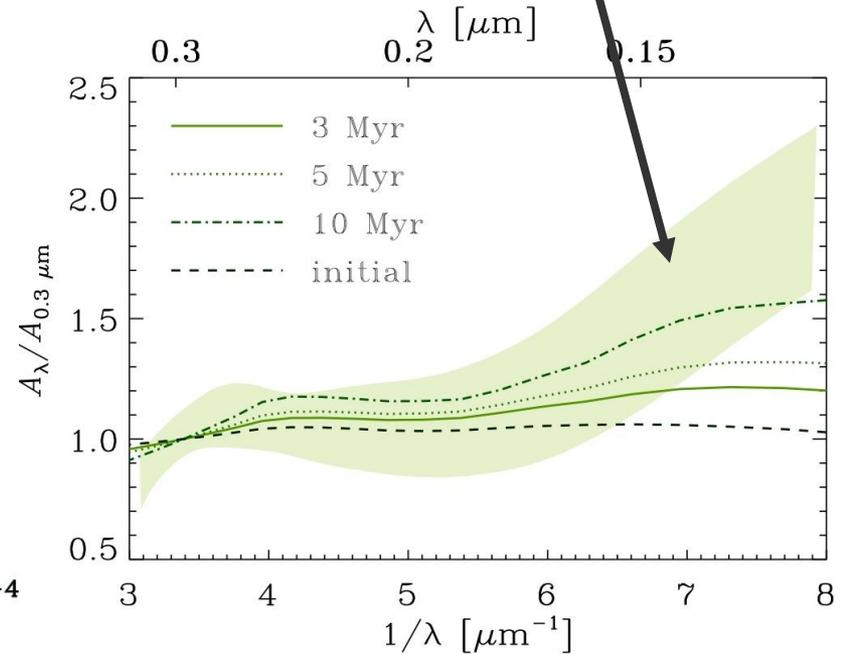


Hirashita et al. (2010)

Hirashita (2010)

extinction curve at $z = 6.2$

(Maiolino et al. 2004)



Small grain production by shattering contributes to the steepness of the UV extinction curve (in solar metallicity).

Scenario as a Summary

- (1) The grain size distribution in the formation by supernovae (or AGB stars) **is not processed by turbulence if the metallicity is $\ll 1/10 Z_{\odot}$.**
- (2) After the metallicity enrichment, **grain processing in ISM should be considered.**
- (3) In considering the origin of the grain size distribution at the present cosmic age, **interstellar processing by turbulence should be important (occurs everywhere → easy to explain the universality).**

Thank you.

3. Effects of Coagulation on SF

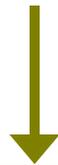
Hirashita & Omukai (2009)

(1) How about the denser regime?

(2) Importance of dust grains in star formation:

A) H_2 formation (H_2 is an efficient coolant for $Z < 0.01 Z_\odot$) \Rightarrow **The grain surface S** is important.

B) Dust cooling \Rightarrow **The grain opacity κ_p** is important.

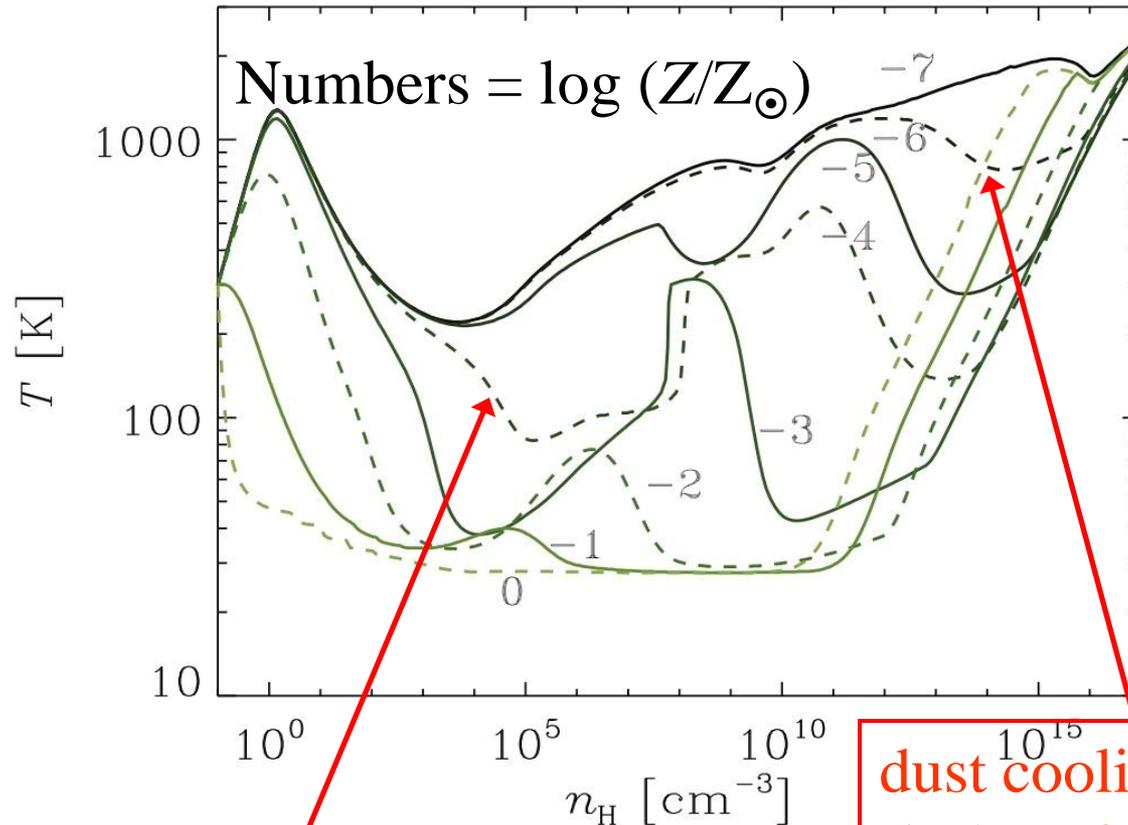


We calculate the variation of S and κ_p in star-forming (collapsing) clouds.

Grain motion is assumed to be thermal.

Gas Evolution in Collapsing Clouds

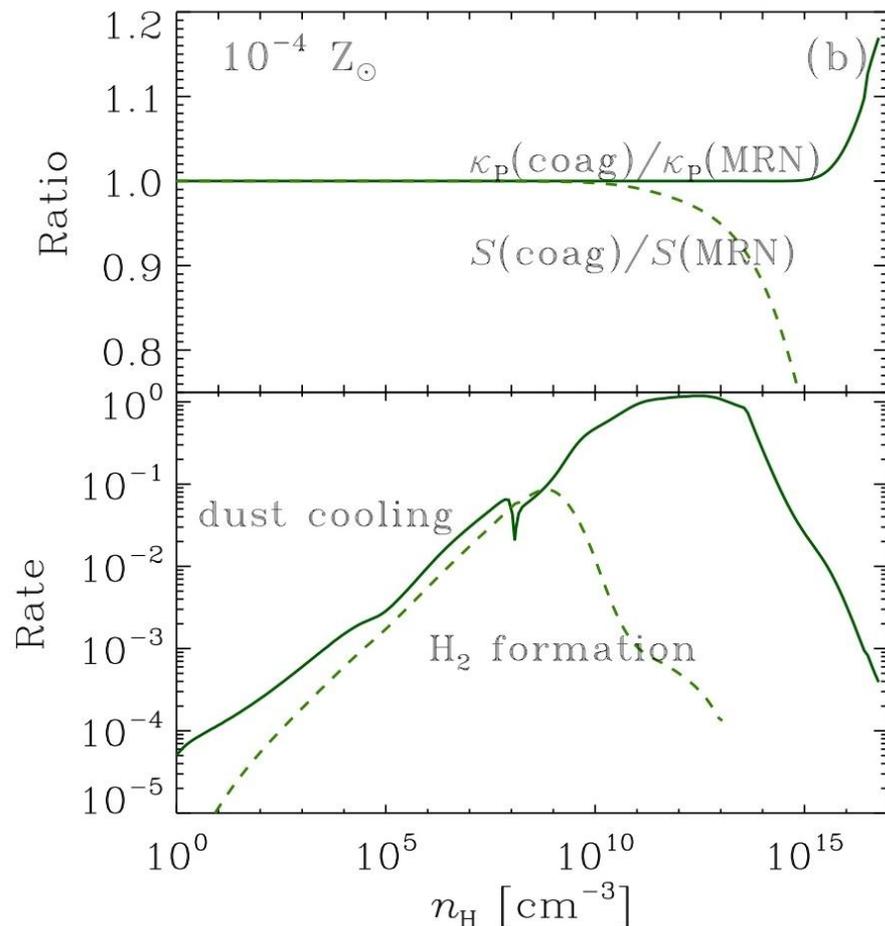
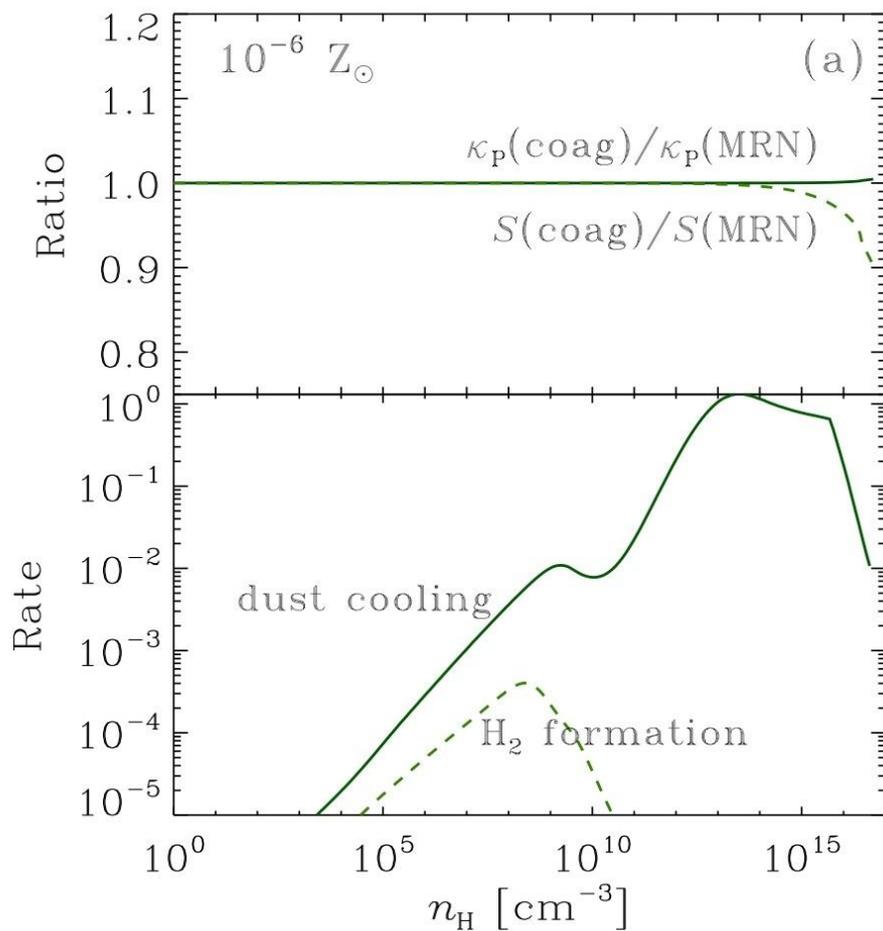
Omukai et al. (2005)



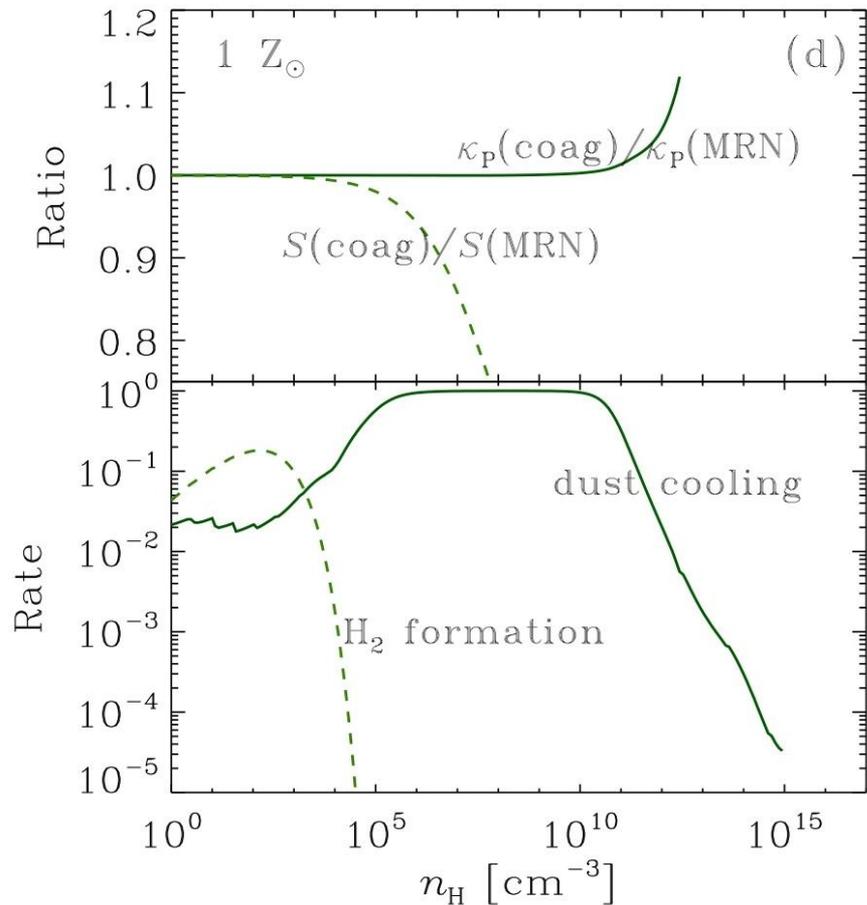
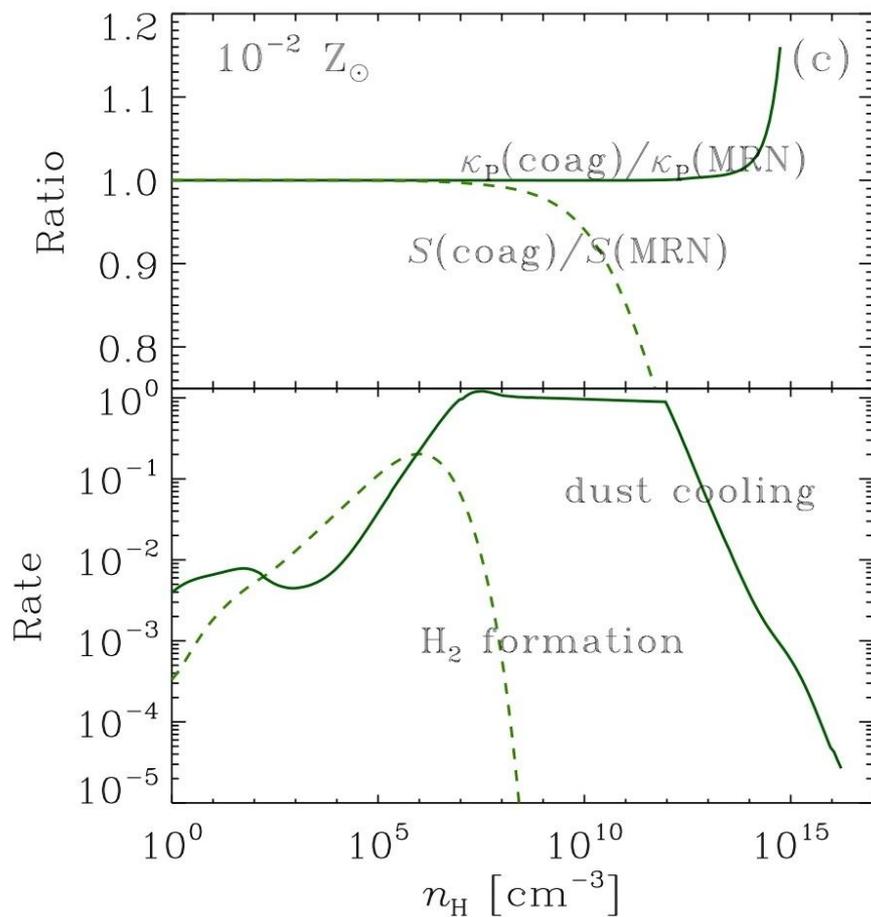
H_2 formation on grain surface:
important coolant for $\log(Z/Z_{\odot}) < -2$

dust cooling
(induce fragmentation)
Omukai et al. (2005)
Schneider et al. (2004)

Change of Grain Surface and Opacity by Coagulation



Change of Grain Surface and Opacity by Coagulation

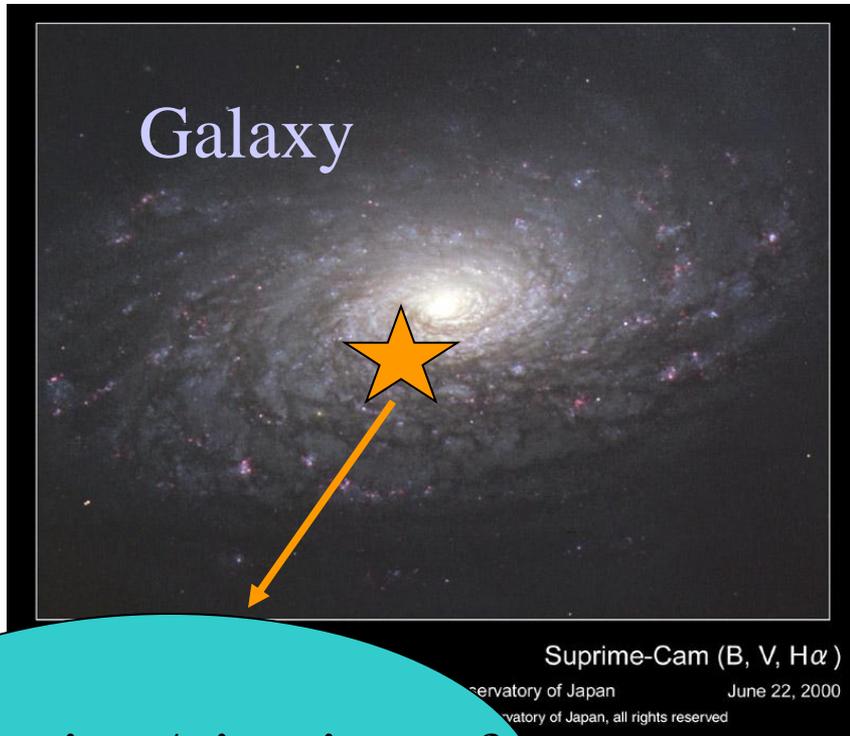


Physical Considerations

- ☆ Grain surface is dominated by small grains. → Once the smallest grains are affected by coagulation, S begins to decrease (however, H_2 formation occurs faster).
 - $t_{\text{ff}} > t_{\text{coag}} \Leftrightarrow n_{\text{H}} > 10^7 (Z/Z_{\odot})^{-2} (T/30 \text{ K})^{-1} \text{ cm}^{-3}$
- ☆ Opacity ($\kappa_{\text{p}} \propto \pi a^2 Q_{\lambda} \propto a^3$) is only a function of mass as long as $a \ll \lambda$. $\Rightarrow \kappa_{\text{p}}$ does not change even if coagulation proceeds.

Coagulation has no effect on the thermal evolution in protostellar collapse.

1. Dust Grains in Galaxies



gas, plasma
(heating by supernovae,
stellar radiation, etc.;
radiative cooling)

turbulence
magnetic fields

Formation/ejection of
heavy elements ($\geq C$)

Condensation of
dust grains